

# Production of high transverse momentum vector bosons reconstructed as single jets at ATLAS and its application to searches for New Physics at LHC

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HEP seminar  
University of Pennsylvania  
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Toroid Magnets      Solenoid Magnet      SCT Tracker      Pixel Detector



# Outline

- Introduction
  - ✓ Boosted hadronically-decaying particle ( $W$ ,  $Z$  and top)
  - ✓ Jet substructure and searches for new physics (NP)
  - ✓ Jet substructure in the center-of-mass frame of jet
- Measurement of boosted hadronic  $W/Z$  boson production at ATLAS
- Future application of jet substructure in jet rest frame

The LHC, the experiments and the observation of a Higgs-like boson is a global phenomena



PRESS COVERAGE

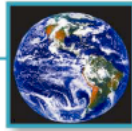
after July 4<sup>th</sup> seminars at CERN

CERN black board, Jul. 2012



# Open questions in particle physics

## Cosmic Pie



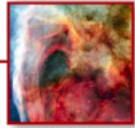
Chemical Elements:  
(other than H & He) 0.03%



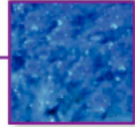
Neutrinos:  
0.47%



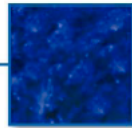
Stars:  
0.5%



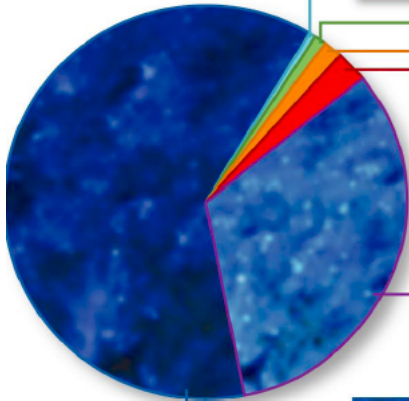
Free H  
& He:  
4%



Dark Matter:  
25%



Dark Energy:  
70%



Higgs Discovery at the LHC is just the beginning of an exciting (discovery of new physics) era in high energy physics !

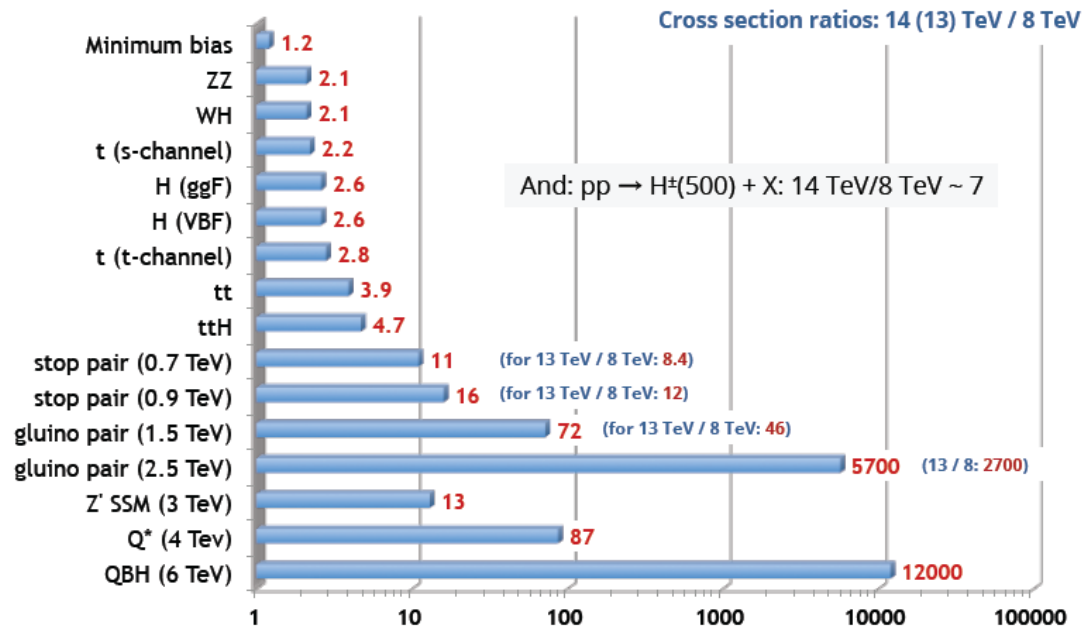
# How to look for new physics at LHC

- Repeat searches for NP done in the past (Tevatron, LEP etc)
  - ✓ Well established/sophisticated analysis techniques
  - ✓ Higher production cross section of many NP particles
  - ✓ Higher luminosities (more data)

## Cross section ratios

Hugely increased potential for discovery of heavy particles at 13~14 TeV

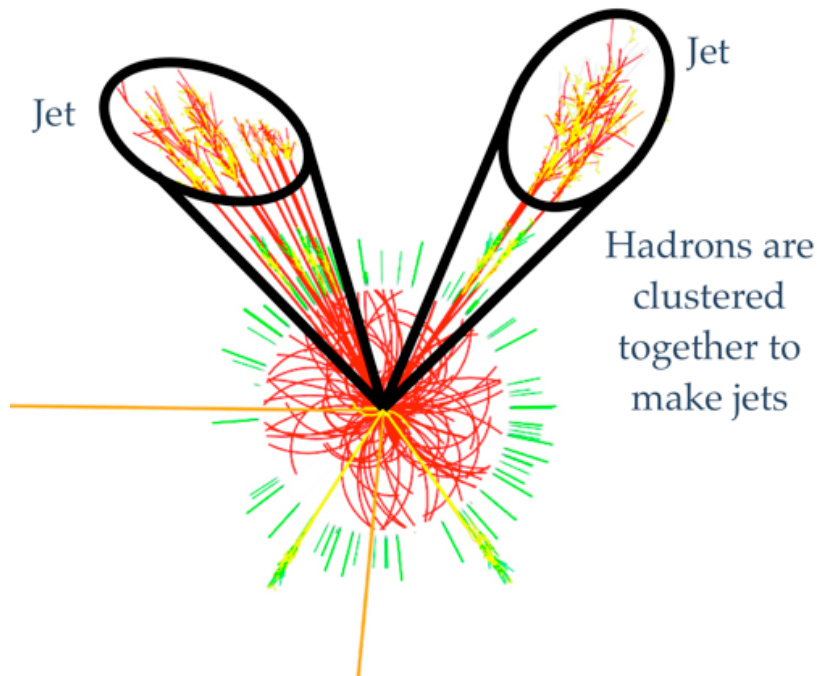
*But life can become harder for states lighter than  $t\bar{t}$*



New experimental analysis techniques, ideas and tools to improve our odds?

# Boosted hadronically decaying particle: jet mass & substructure

- A new analysis idea/techniques: boosted object (jet)
  - ✓ Significantly improve sensitivities to search for heavy new particles
    - In the decay final states containing  $W$ ,  $Z$ , Higgs or top quarks
  - ✓ Generate significant theory and experimental interest in LHC
    - Many new theoretical and experimental papers on the subject
    - Annual workshop devoted to boosted object since 2009



Similar to use the charged tracks to identify "stable" particles at lepton & hadron collider

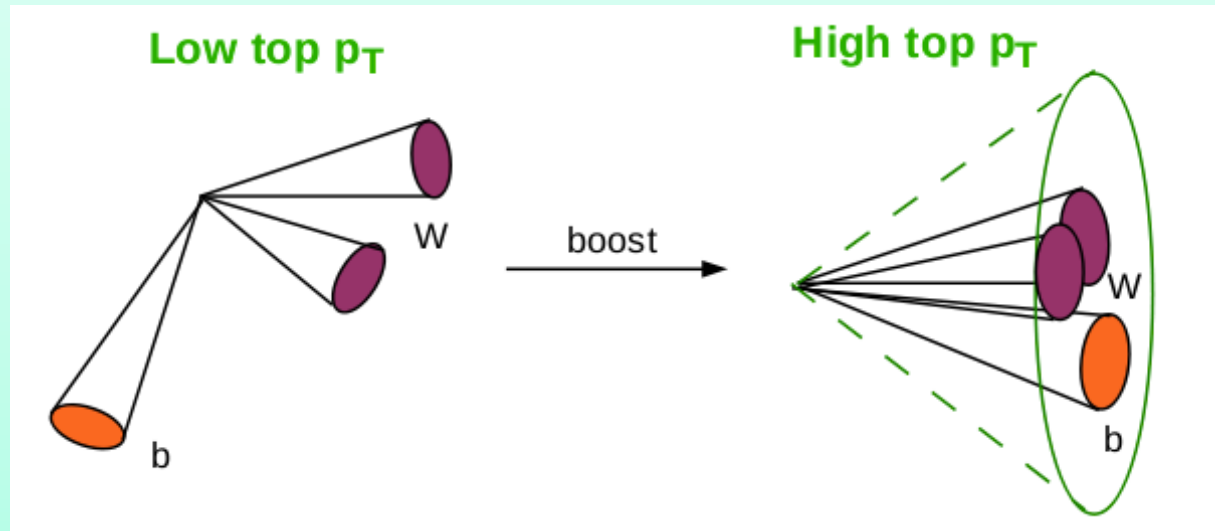
Jet: a collection of energy clusters deposited in calorimeter detector as an experimental signature of the initial parton (quarks & gluons) at the hadron collider

# Boosted hadronically decaying particle

- Most NP models predict heavy resonance ( $\sim \text{TeV}$ ) decay into  $W/Z/\text{Top}$ :

$$X \rightarrow WW, WZ, t\bar{t}$$

- ✓ Boosted (high  $p_T$ ) jets in the final decay states
- ✓ The hadronic decay products are highly collimated



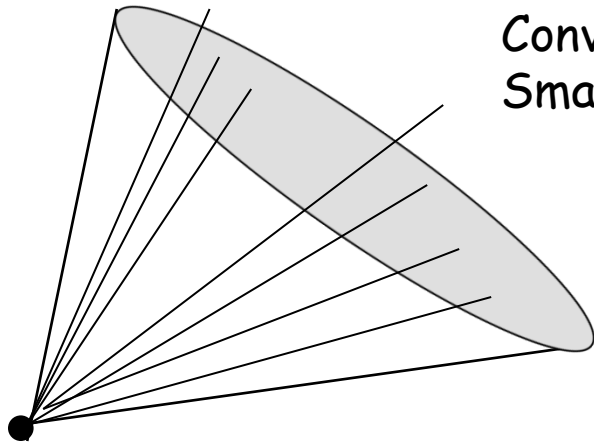
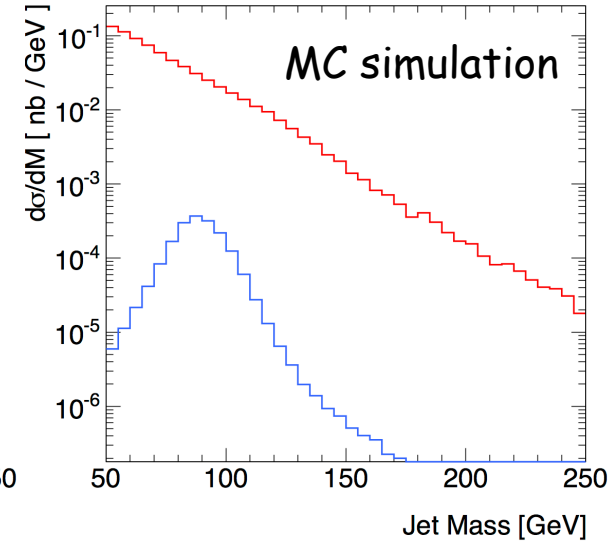
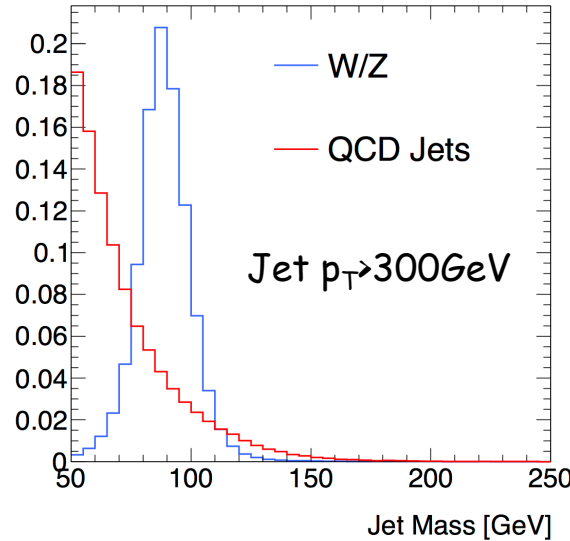
- Traditional jet reco. relying on one-to-one jet-to-parton assignment not adequate
- Solution: reconstruct multi quarks in a single jet (boosted  $W/Z/\text{Top}$  jet)
  - ✓ 2 quarks for  $W/Z$  decay, 3 quarks for top decay
  - ✓ Better (only way) to search for certain NP models

# How to identify a Boosted W/Z/t jet

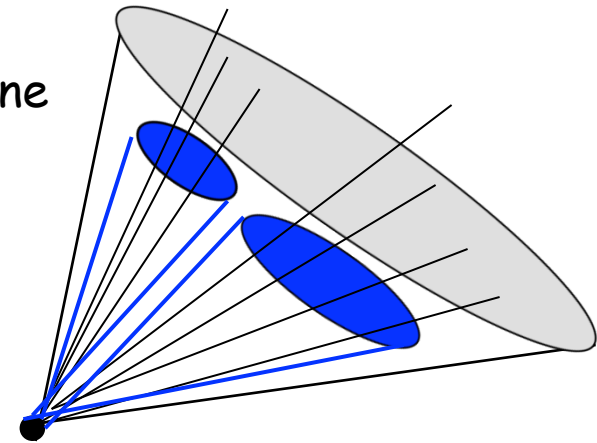
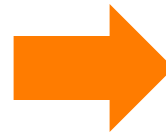
Jet mass: invariant mass of jet

Problem: QCD jet (1 non top quark or gluon) has non-zero mass, its production a few orders higher !

Solution: jet substructure,  
A active research area in last a few years



Conventional method:  
Smaller jet inside big one



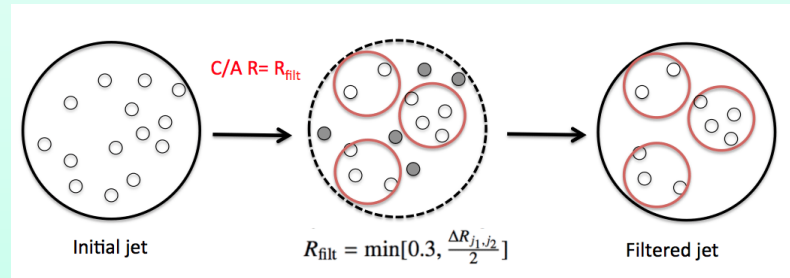
Exam the jet energy cluster information in the lab frame



# Popular jet substructure methods

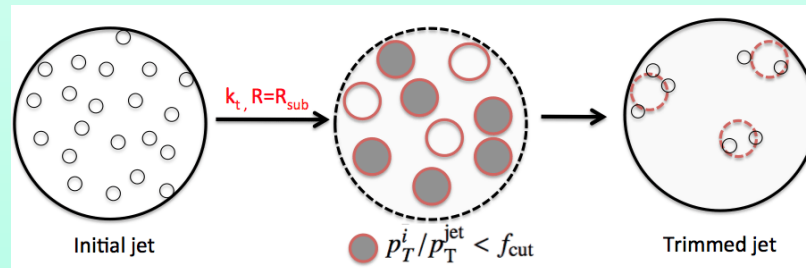
- Jet shape variables: N-subjettiness, momentum balance .....
- Jet grooming: 3 related techniques to reinterpret the jet constituents to improve jet substructure resolution, reduce background and impact of underlying event & pile-up

## ✓ Filtering:



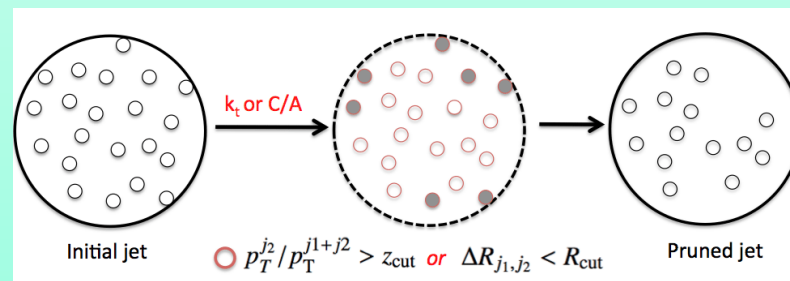
Remove constituents that are outside of subjets

## ✓ Trimming:



Compares  $p_T$ (constituents) with  $p_T$ (jet) - removes soft components which are primarily from UI & PU

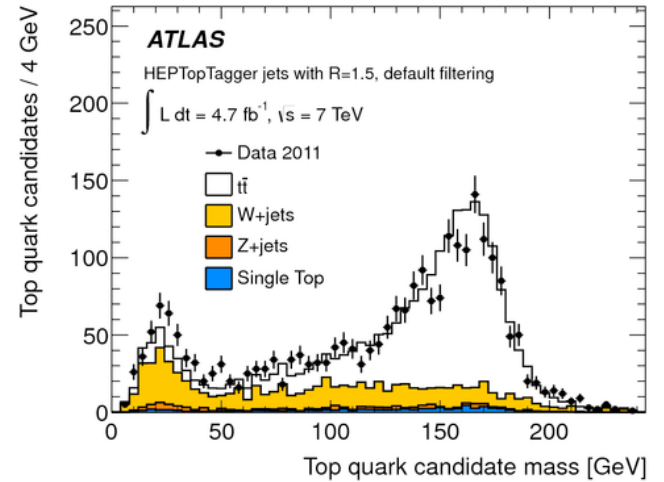
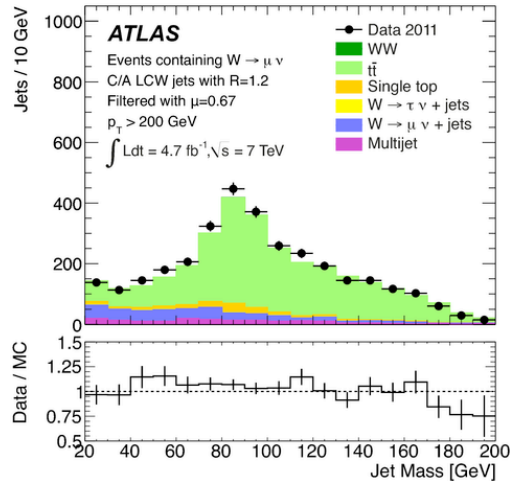
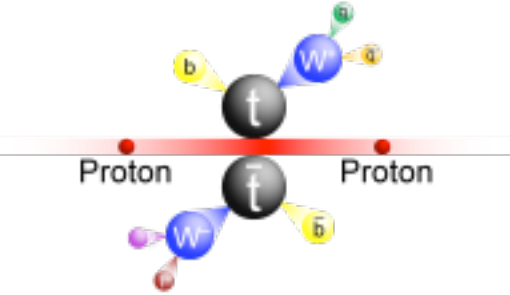
## ✓ Pruning:



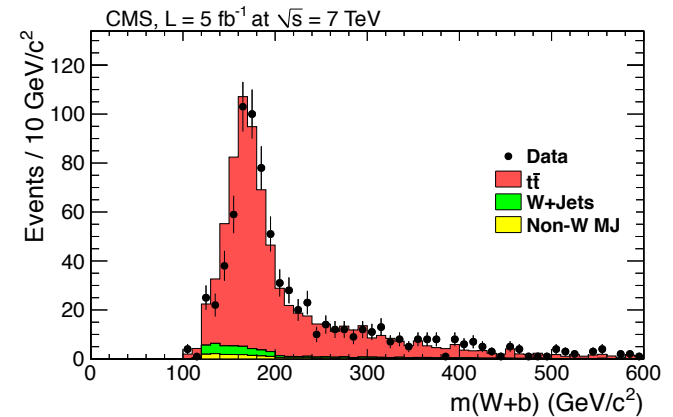
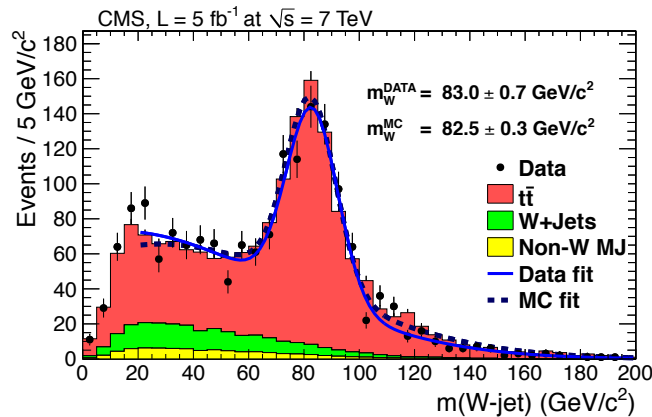
Similar to trimming but occurs during jet reconstruction  $\Rightarrow$  does not require subjet reconstruction

Pedagogical intro: arXiv:1302.0260

# Hadronic W and top signal at LHC



Standard jet size  
 ATLAS: 0.4(0.6)  
 CS: 0.5(0.7)

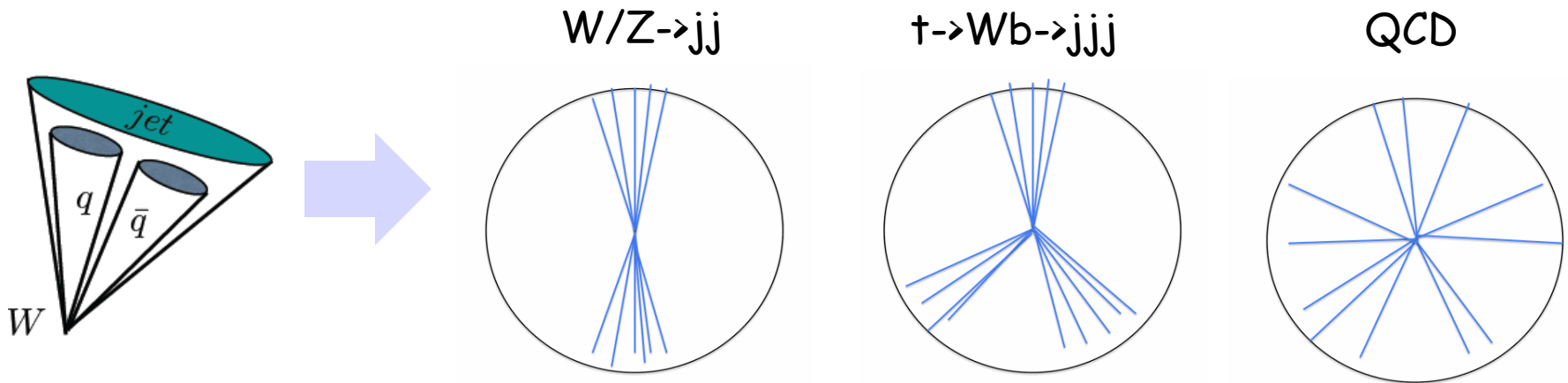


Use jet with large cone size: not exactly a highly boosted single jet  
 Need lepton and b jet requirement to reduce QCD jet bg from multijet production

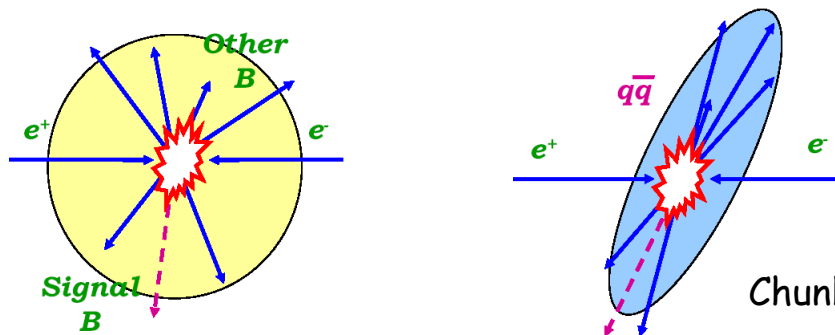
Can we extract boosted hadronic W/Z signal from QCD jet background using jet substructure only

# Jet Substructure in CM Frame of the jet

- Existing jet substructure algorithms based on energy clusters in lab frame
- New proposal: study distribution of jet clusters in center-of-mass frame of jet
  - ✓ Jet CM frame: jet 4 momentum =  $(0,0,0,m_{\text{jet}})$
  - ✓ Nearby clusters in lab frame may not be close in CM frame
  - ✓ Using full momentum information of the energy clusters

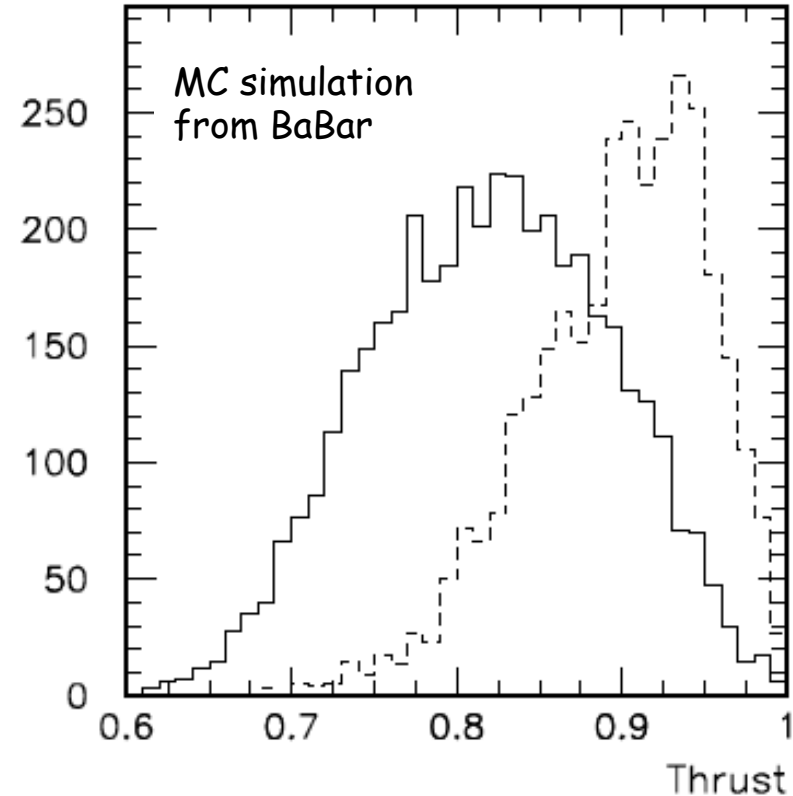
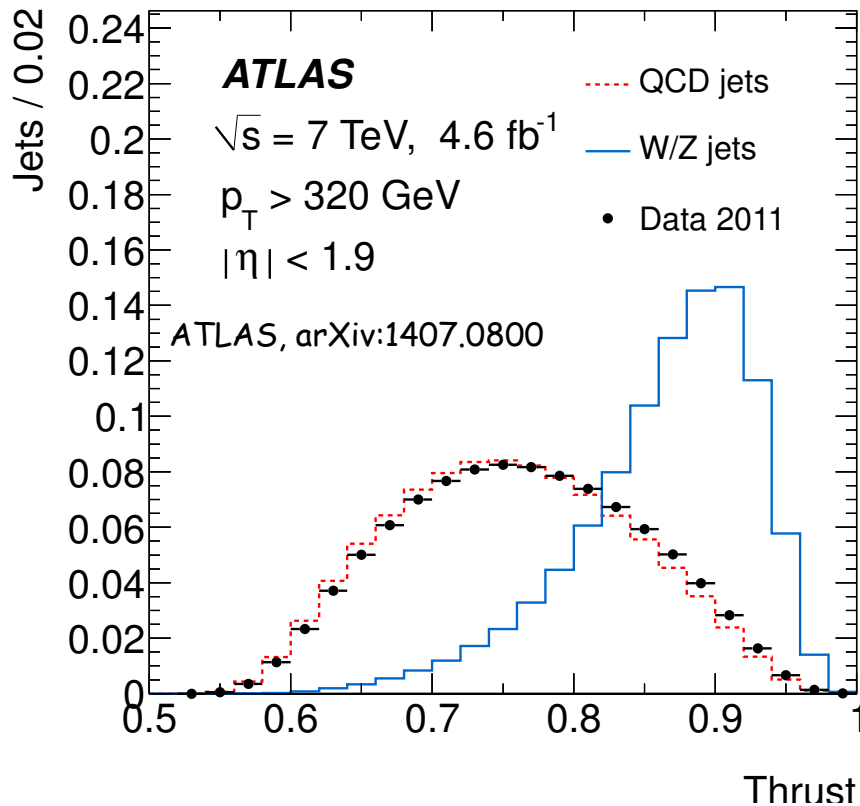


- Lesson learned from  $e^+e^-$  collider:



Chunhui Chen, PRD 85,052005 (2012)

# Jet shape variables in jet rest frame

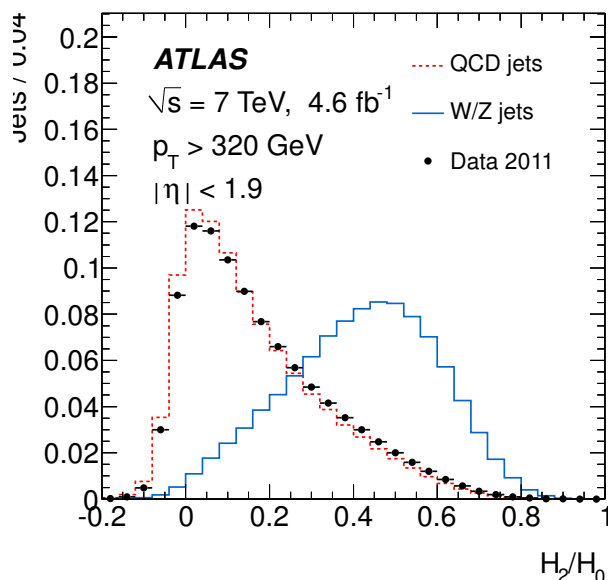
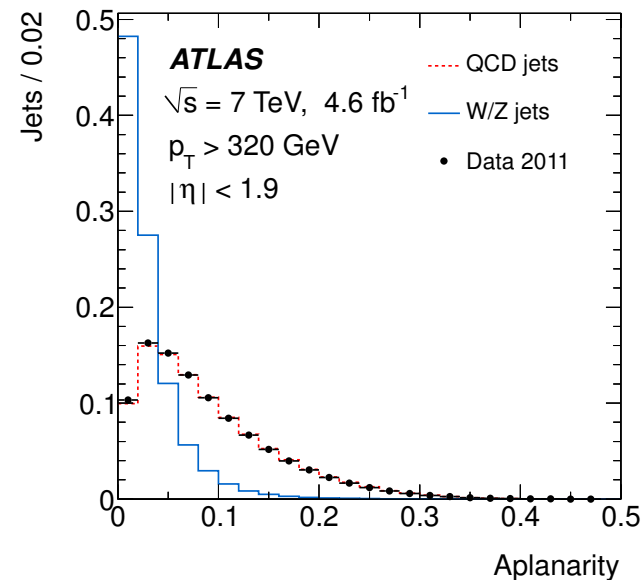
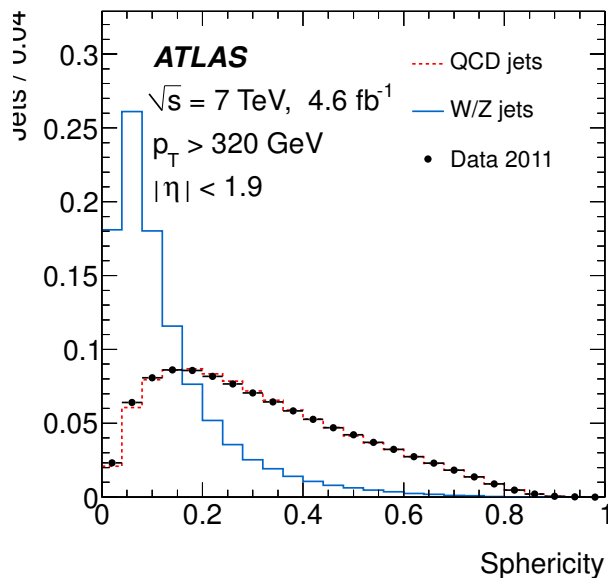
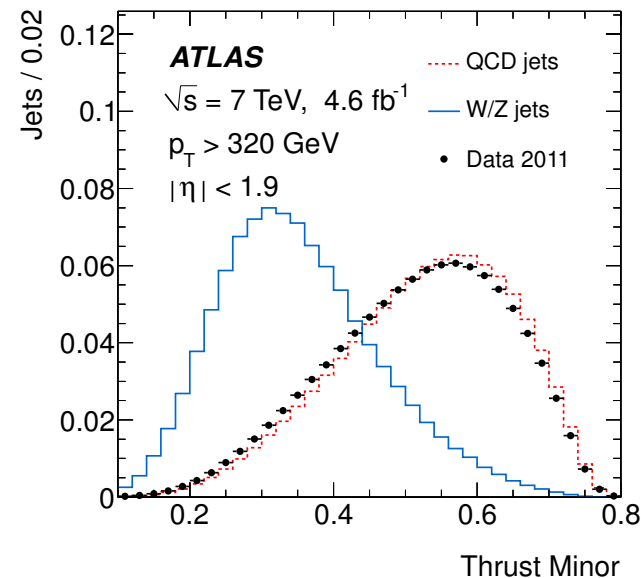


- Thrust: The thrust axis [39, 40] of a jet in its center-of-mass frame,  $\hat{T}$ , is defined as the direction which maximizes the sum of the longitudinal momenta of the energy clusters. The thrust,  $T$ , is related to this direction and is calculated as:

$$T = \frac{\sum_i |\hat{T} \cdot \vec{p}_i|}{\sum_i |\vec{p}_i|}, \quad (2)$$

where  $\vec{p}_i$  is the momentum of each energy cluster in the jet rest frame. The allowed range of  $T$  is between 0.5 and 1, where  $T = 1$  corresponds to a highly directional distribution of the energy clusters, and  $T = 0.5$  corresponds to an isotropic distribution.

# Jet shape variables in jet rest frame



Commonly used in  $e^+e^-$  collider

Many are originally introduced at hadron colliders

Variables are correlated

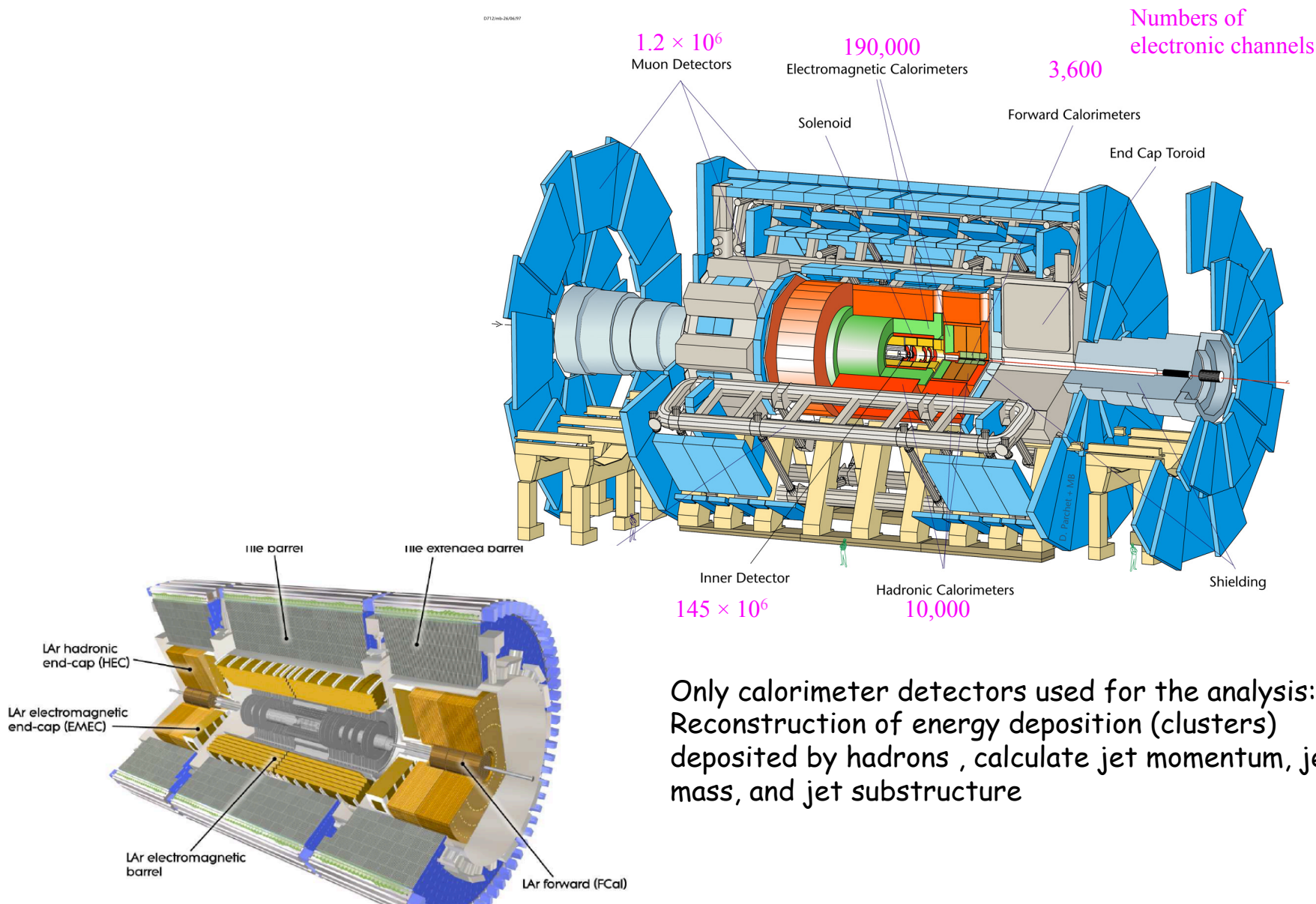
Correlation smaller than jet shape variables in lab frame

Original paper references can be found at: : C.Chen, PRD 85,052005 (2012)

**Measurement of the production cross section of boosted hadronic W/Z reconstructed in single jets at 7TeV using the ATLAS detector**

**-- Using substructure in jet rest frame**

# The ATLAS Detector



Only calorimeter detectors used for the analysis:  
 Reconstruction of energy deposition (clusters)  
 deposited by hadrons, calculate jet momentum, jet  
 mass, and jet substructure

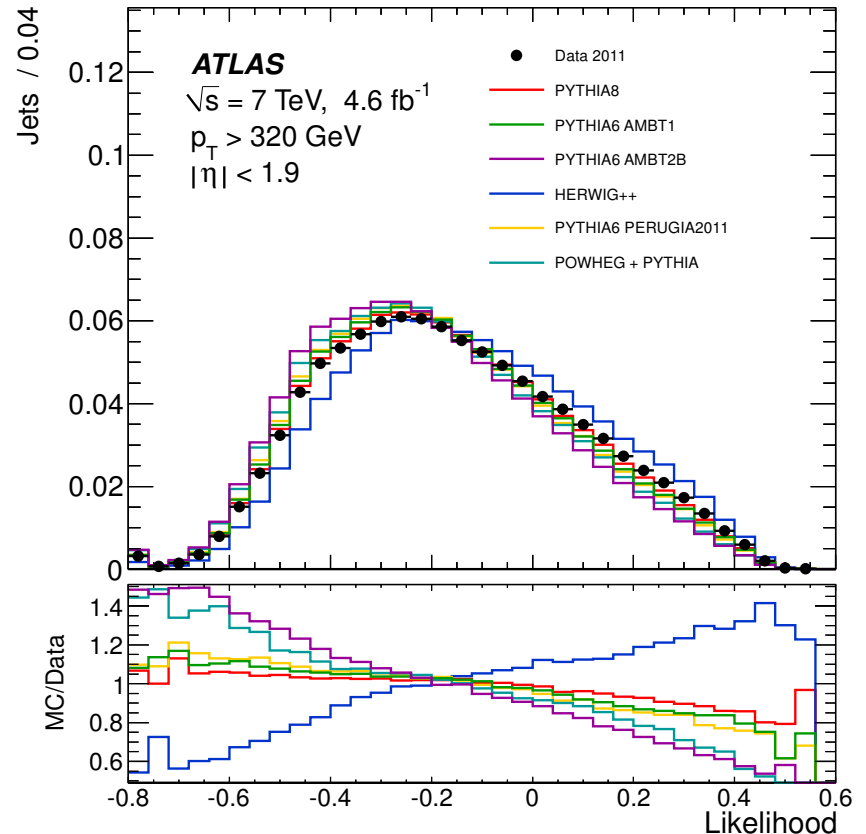
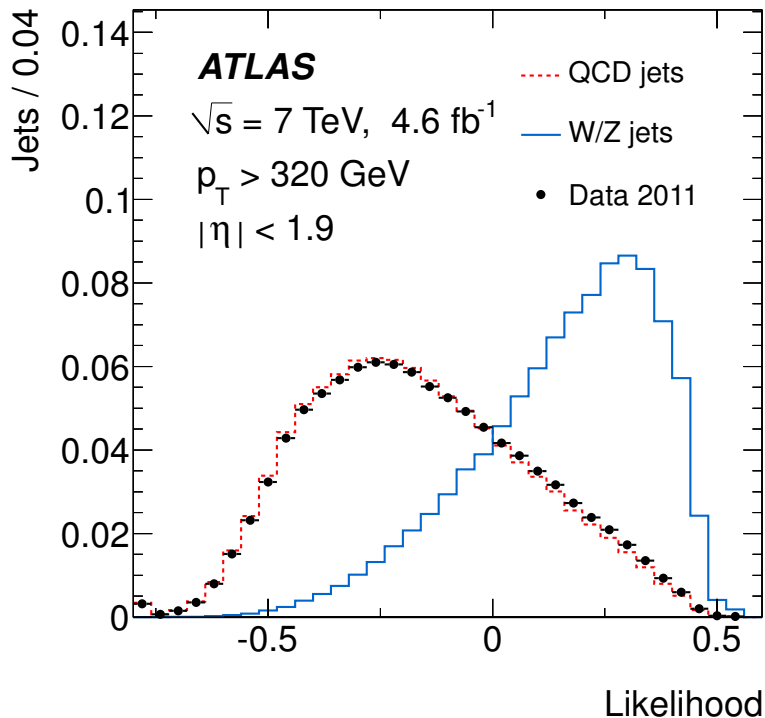
# Event selection

- Select events that pass the trigger requirements at 7TeV ( $4.6\text{fb}^{-1}$ ):
  - ✓ A jet with  $p_{\text{T}} > 100\text{GeV}$  at level-1
  - ✓ EF level : Scalar sum of jets ( $p_{\text{T}} > 30\text{GeV}$ ,  $|\eta| < 3.2$ ) larger than 350/400 GeV
  - ✓ 100% for offline signal selection
- Select jets as hadronic W/Z candidate ( $\sim 2.5\%$  multiple candidates/event)
  - ✓ Jet reconstructed with Anti  $k_{\text{T}}$   $R=0.6$
  - ✓  $p_{\text{T}} > 320\text{GeV}$ ,  $|\eta| < 1.9$  and  $50 < m_{\text{jet}} < 140\text{GeV}$
  - ✓ Likelihood cut combining event shape variables in the CM frame to further reduce the QCD background: sphericity, aplanarity and thrust minor
    - Smaller correlation with jet mass
    - **Conservative approach, more variables available**
- Data driving analysis with MC as cross check:
  - ✓ Hadronic W/Z signal MC: Herwig, QCD jet bg MC: Pythia8
  - ✓ Many other MC used for cross check and sys error estimate
- Measurement: fiducial cross section of W and Z production
  - ✓ Extract hadronic W/Z signal by fitting  $m_{\text{jet}}$  distribution
  - ✓ Can statistically distinguish W & Z (large stat error due to  $m_{\text{jet}}$  resolution)

$$\sigma_{W+Z} = \sigma_W(p_{\text{T}} > 320\text{ GeV}, |\eta| < 1.9) \times \mathcal{B}(W \rightarrow q\bar{q}') + \sigma_Z(p_{\text{T}} > 320\text{ GeV}, |\eta| < 1.9) \times \mathcal{B}(Z \rightarrow q\bar{q})$$

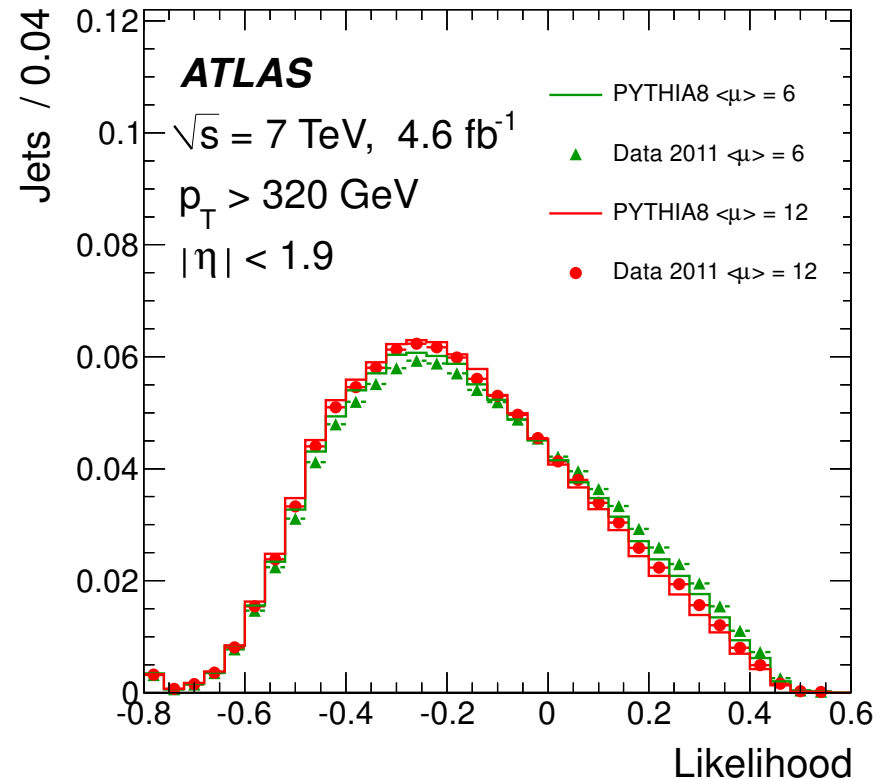
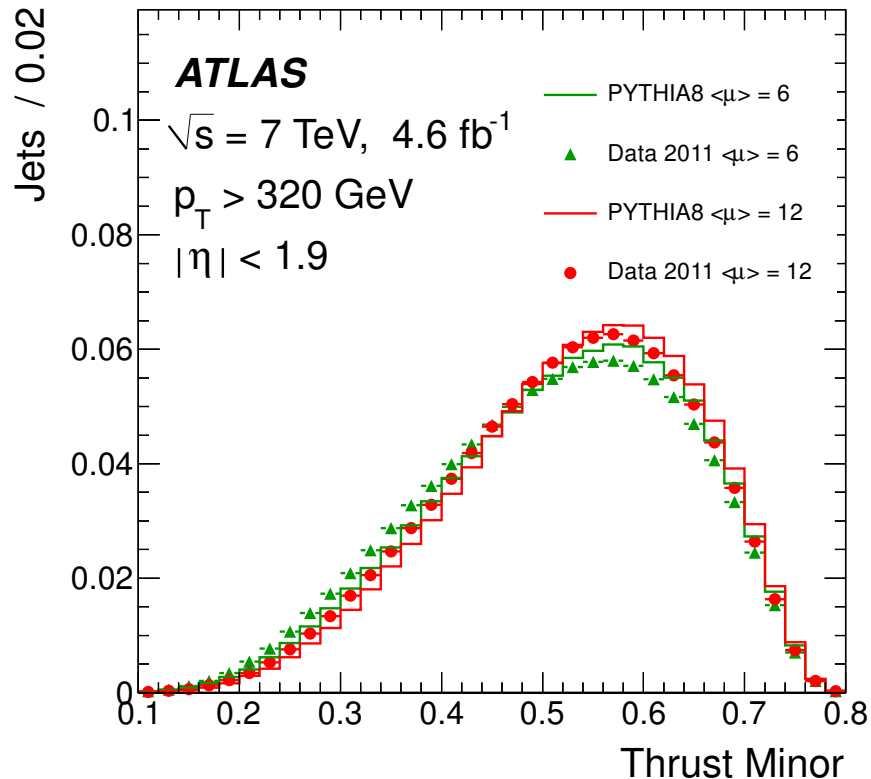


# Likelihood variable selection



- Dominated by QCD jets after initial selection
  - ✓ Using LH variable to reject QCD background
  - ✓ Optimize to maximize  $S/\sqrt{S+B}$ : ~55% signal eff & reject ~90% bg
- Distribution well modeled by default MC simulation
  - ✓ Different MC simulation to estimate sys uncertainty of the analysis

# Jet substructure with different pileup



- Some dependence of pileup conditions
- Well modeled by the MC simulation

# Signal PDF

- Extract hadronic W/Z signal by fitting  $m_{\text{jet}}$  distribution
- Probability density function of hadronic W/Z signals
  - ✓ Two Breit-Wigner functions convoluted by Gaussian functions

$$S_W(m_{\text{jet}}) = F_{\text{BW}}(m_{\text{jet}} : m, \Gamma_W) \otimes G(m_{\text{jet}} : m, \sigma_W),$$

$$S_Z(m_{\text{jet}}) = F_{\text{BW}}(m_{\text{jet}} : m, \Gamma_Z) \otimes G(m_{\text{jet}} : m, \sigma_Z),$$

$$F_{\text{BW}}(m : \bar{m}, \Gamma) = \frac{1}{2\pi} \frac{\Gamma}{(m_{\text{jet}} - \bar{m})^2 + \Gamma^2/4},$$

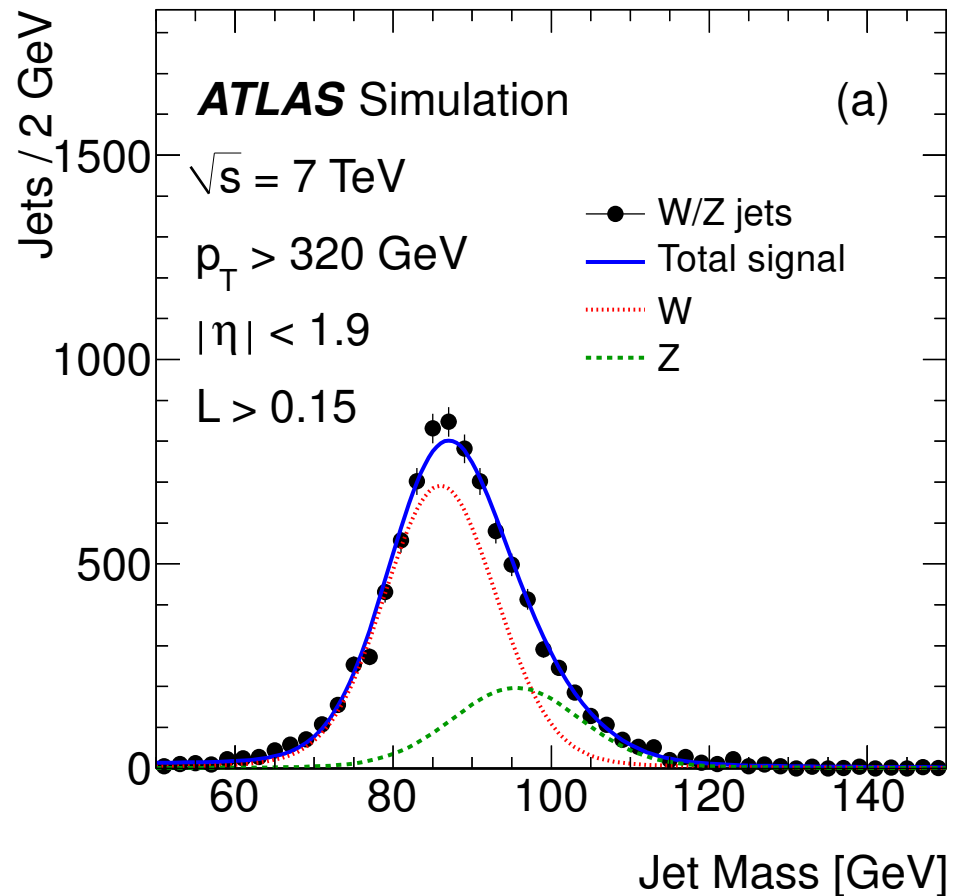
$$G(x : \bar{x}, \sigma) = \frac{1}{\sigma\sqrt{2\pi}} \cdot \exp\left[-\frac{(x - \bar{x})^2}{2\sigma^2}\right].$$

$$\bar{m}_W = m_W + m_W^{\text{offset}},$$

$$\bar{m}_Z = m_W + \Delta m_{WZ} + m_Z^{\text{offset}},$$

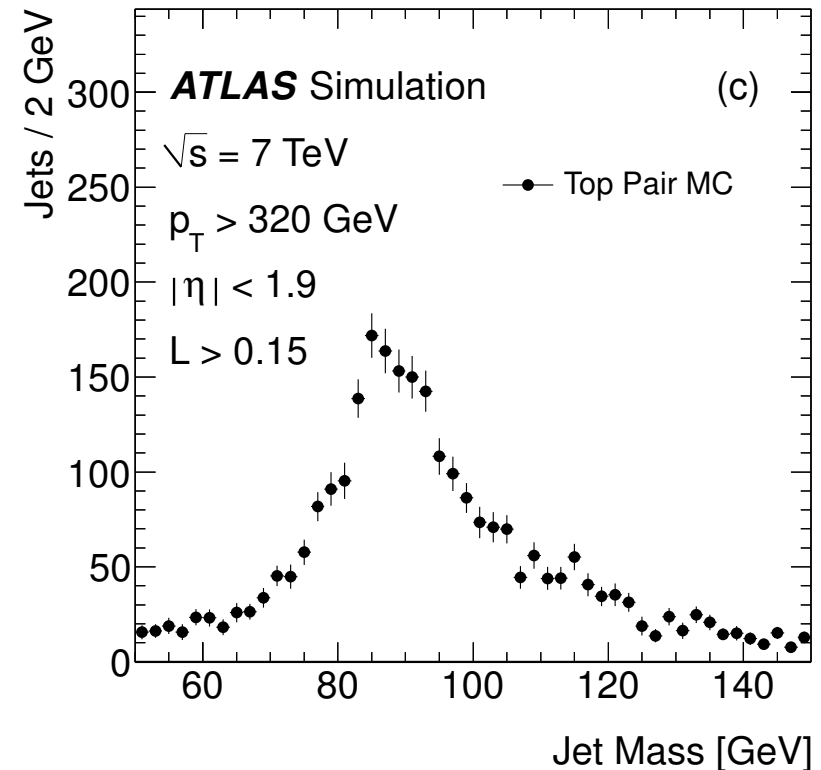
All parameters are fixed to MC predicted values:

1. Means of BW functions (W/Z mass)
2. Width of BW function (W/Z width) fixed to PDG
3. W and Z resolutions (Gauss width)
4. Relative fraction of W/Z signal yield (MCFM calculation)



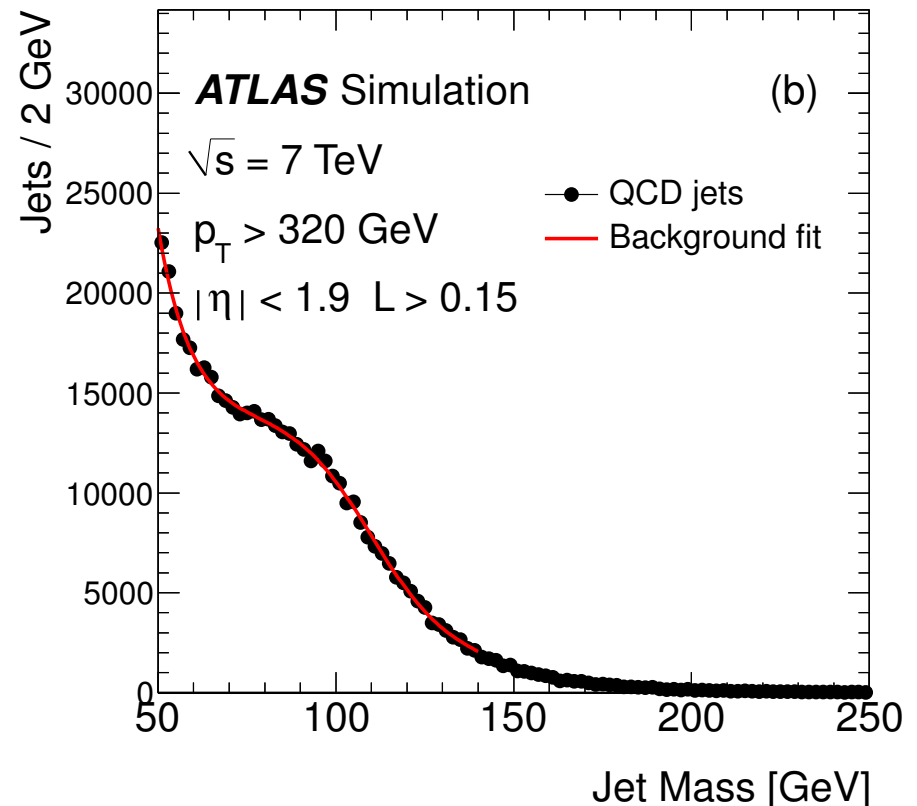
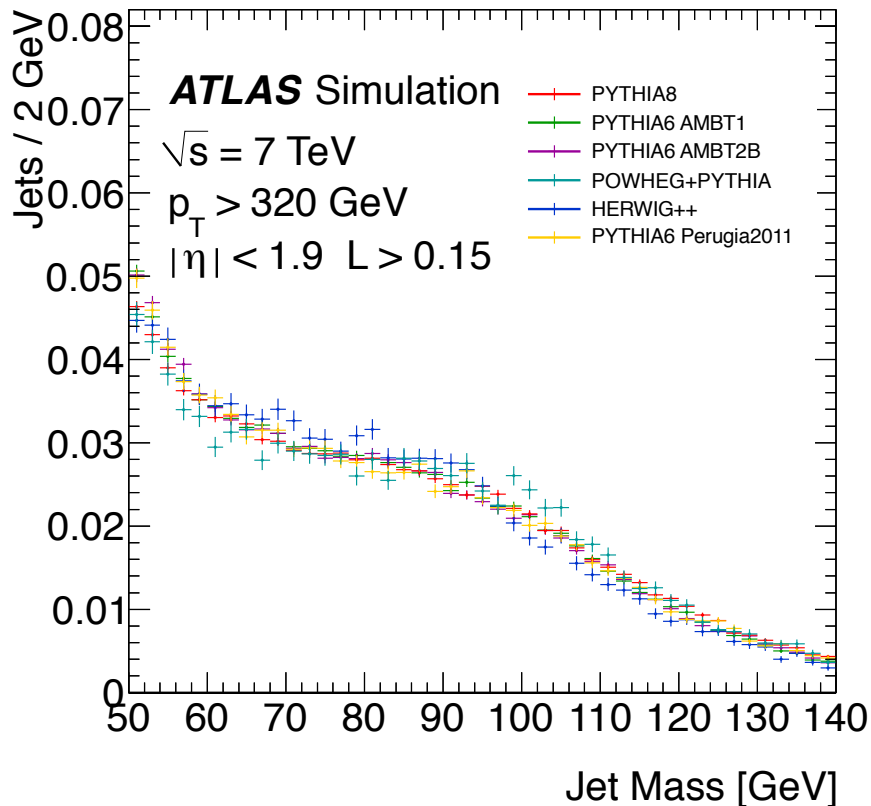
# Peaking background PDF

- SM diboson production:  $WW, WZ, WY$  and  $ZY$ 
  - ✓ Identical PDF as signal, very small contribution,
  - ✓ Not explicitly included in fit, deduct contribution from fitted signal yields
  - ✓ Sys error: theoretical prediction of cross section
- SM single top production:
  - ✓ Dominated by  $Wt$  production, very small contribution,
  - ✓ Not explicitly included in fit,
  - ✓ Deduct contribution from fitted yields
  - ✓ Sys error: theory cross section
- SM top pair production:
  - ✓ Model using 1-D histogram from MC
  - ✓ Broader distribution to signal PDF
    - Nearby b jet
  - ✓ Small contribution to signal
  - ✓ Sys uncertainties:
    - Theory cross section
    - Different MC simulation



# Combinatorial (QCD jet) background PDF

- The dominated background
  - ✓ Not well predicted by MC simulation



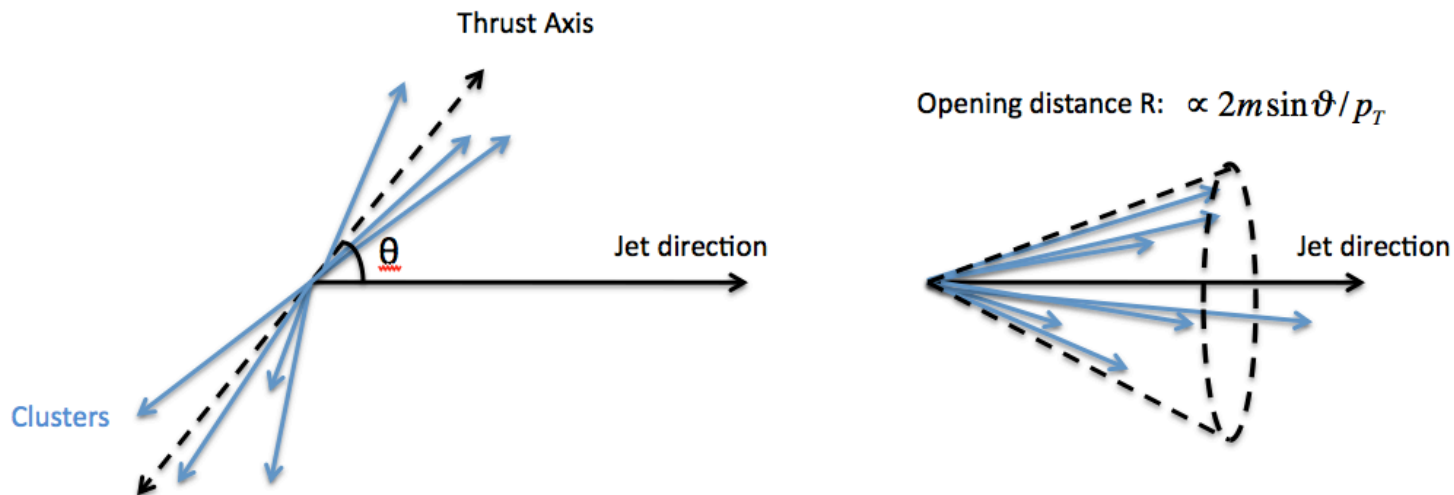
- Can be described by the same analytical function (different parameter values)
  - ✓ Different MC simulation, different selection (LH,  $p_T$ , jet cone size)
  - ✓ More than 100 different variations
  - ✓ Verified with the control sample from the data (see later slides)

# Combinatorial (QCD jet) background PDF

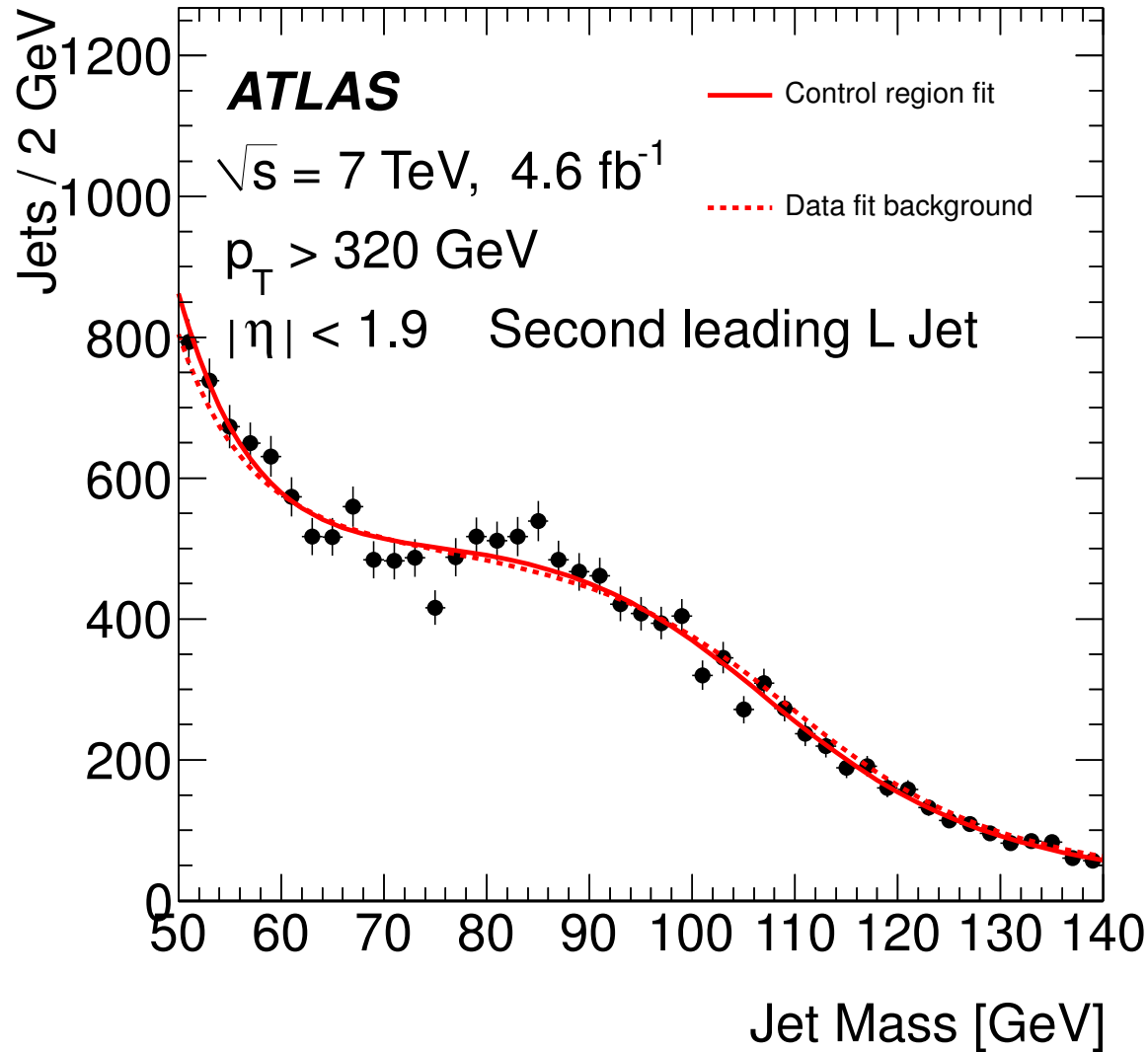
- Analytical PDF: all parameters are free in the fit:
  - ✓ 2 exponential functions + 1 sigmoid function

$$S_{\text{QCD}}(m_{\text{jet}}) = f_E \cdot E(m_{\text{jet}} : m_0, \sigma_m) + f_1 \cdot C_1 \exp(a_1 \cdot m_{\text{jet}}) + (1 - f_E - f_1) \cdot C_2 \exp(a_2 \cdot m_{\text{jet}}),$$
$$E(\bar{m}) = \bar{m} / \sqrt{1 + \bar{m}^2} \quad \text{and} \quad \bar{m} = (m_{\text{jet}} - m_0) / \sigma_m$$

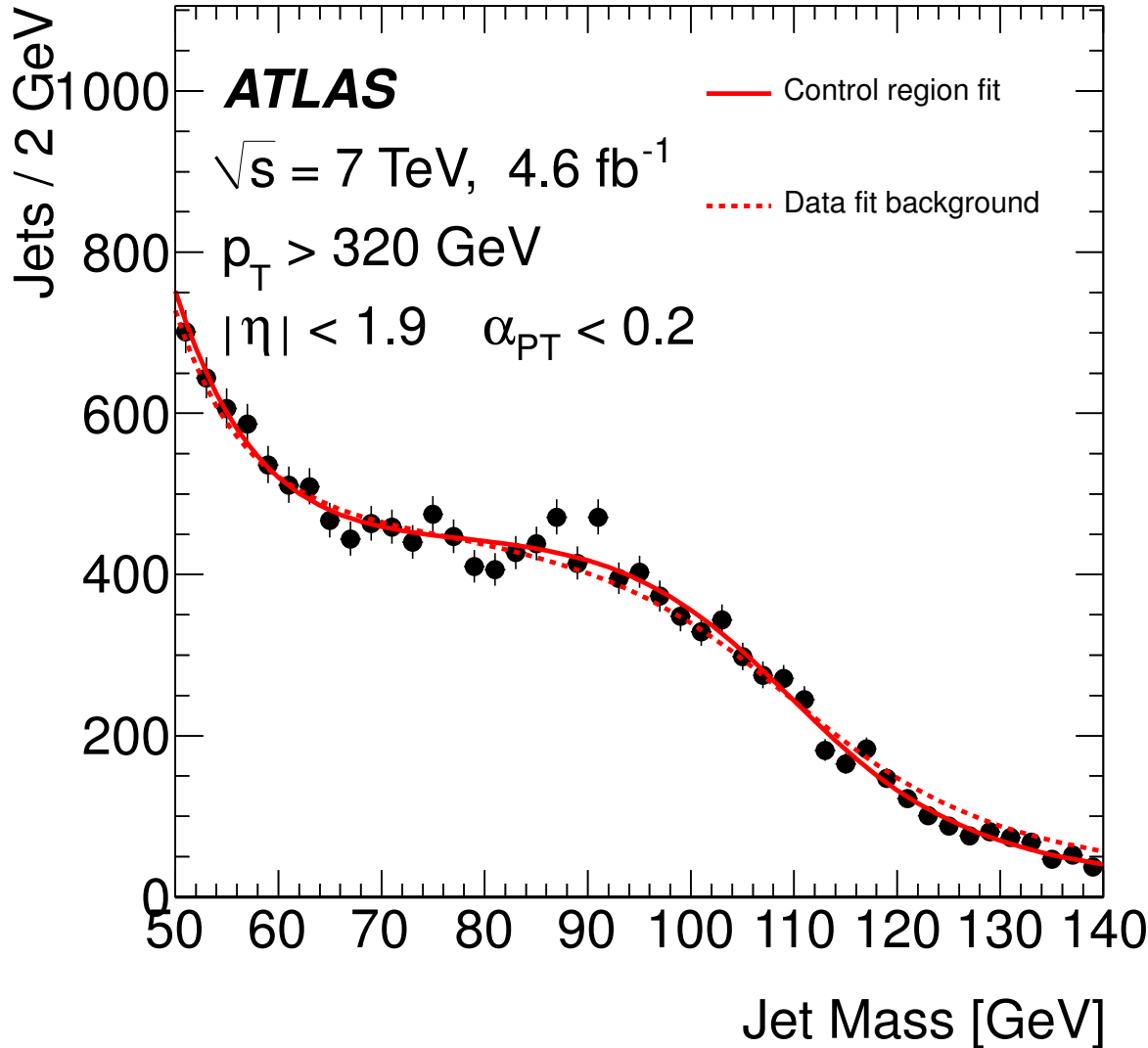
- The sigmoid function (shoulder structure) is caused by kinematic effects
  - ✓ Variation with respect to jet  $p_T$  and jet cone size well produced in MC
    - Large  $p_T$ , higher threshold of the shoulder
    - Large jet cone size, higher threshold of the shoulder



# Test background PDF using control data



# Test background PDF using control data



$$\alpha = p_T^{\text{bal}} / M_{\text{dijet}}$$

$p_T^{\text{bal}}$  is the transverse momentum of the best balancing jet

$M_{\text{dijet}}$  is the invariant mass of the balancing jet and candidate jet

Weak correlation with  $m_{\text{jet}}$  and substructure

Less than 1% signal contamination



# Maximum likelihood fit

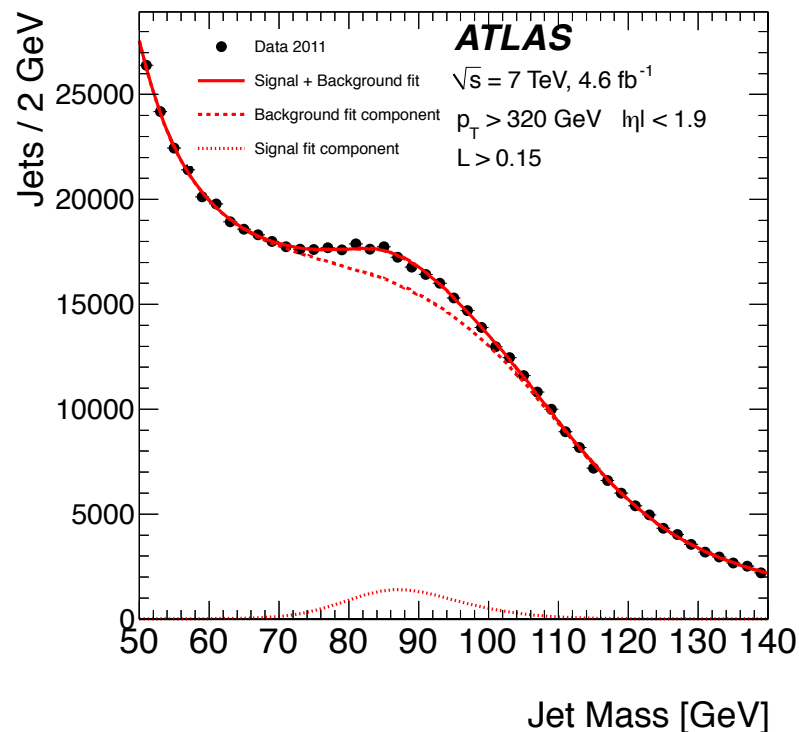
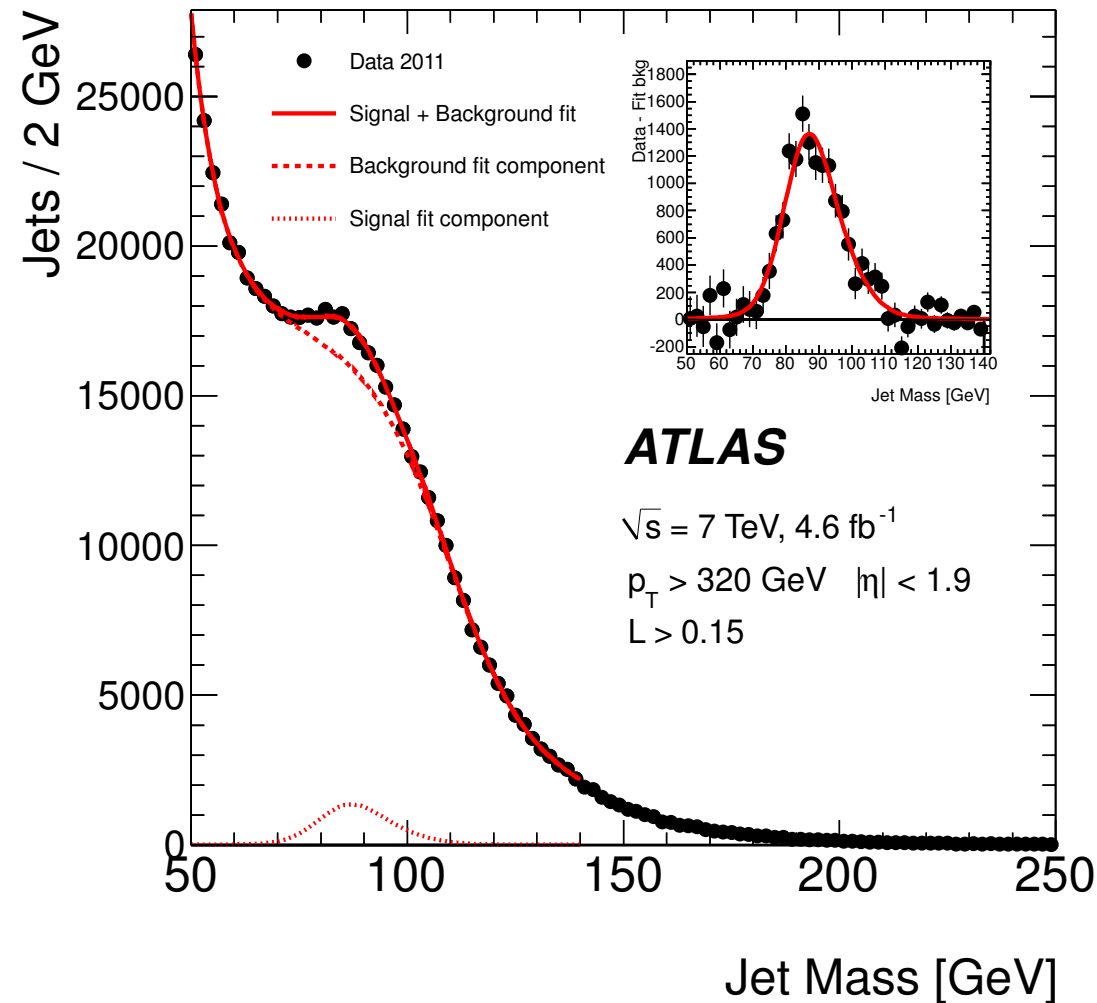
- Binned maximum likelihood fit:
  - ✓ Fit hadronic  $W/Z$  signal yield and background parameters from data

$$\mathcal{L} \equiv \prod_{i=1..n} \left\{ f_{\text{sig}} \times [f_W \cdot S_W + (1 - f_W) \cdot S_Z] + f_{t\bar{t}} \times S_{t\bar{t}} + (1 - f_{\text{sig}} - f_{t\bar{t}}) \times S_{\text{QCD}} \right\}_i$$

name	Description	Comments
Signal		
$f_{\text{sig}}$	Combined signal fraction	Free parameter
$f_W$	Relative fraction of $W$ -jets of signal yield	Fixed to MC prediction
$m_W$	$W$ boson pole mass	Fixed to PDG value
$\Gamma_W$	Intrinsic width $W$ boson	Fixed to PDG value
$\Gamma_Z$	Intrinsic width $Z$ boson	Fixed to PDG value
$\sigma_W$	Detector resolution of reconstructed $W$ mass	Fixed to MC prediction
$\sigma_Z$	Detector resolution of reconstructed $Z$ mass	Fixed to MC prediction
QCD		
$f_E$	Fraction of the sigmoid component in QCD PDF	Free parameter
$f_1$	Fraction of the first exponential component in QCD PDF	Free parameter
$m_0$	Inflection point of the Sigmoid function in QCD PDF	Free parameter
$\sigma_m$	Curvature at inflection point of the Sigmoid function in QCD PDF	Free parameter
$a_1$	Slope of the first exponential component in QCD PDF	Free parameter
$a_2$	Slope of the second exponential component in QCD PDF	Free parameter
Other background		
$f_{t\bar{t}}$	Fraction of $t\bar{t}$ background	Fixed to MC prediction

Table 4: List of parameters used in the default fit.

# Fit results



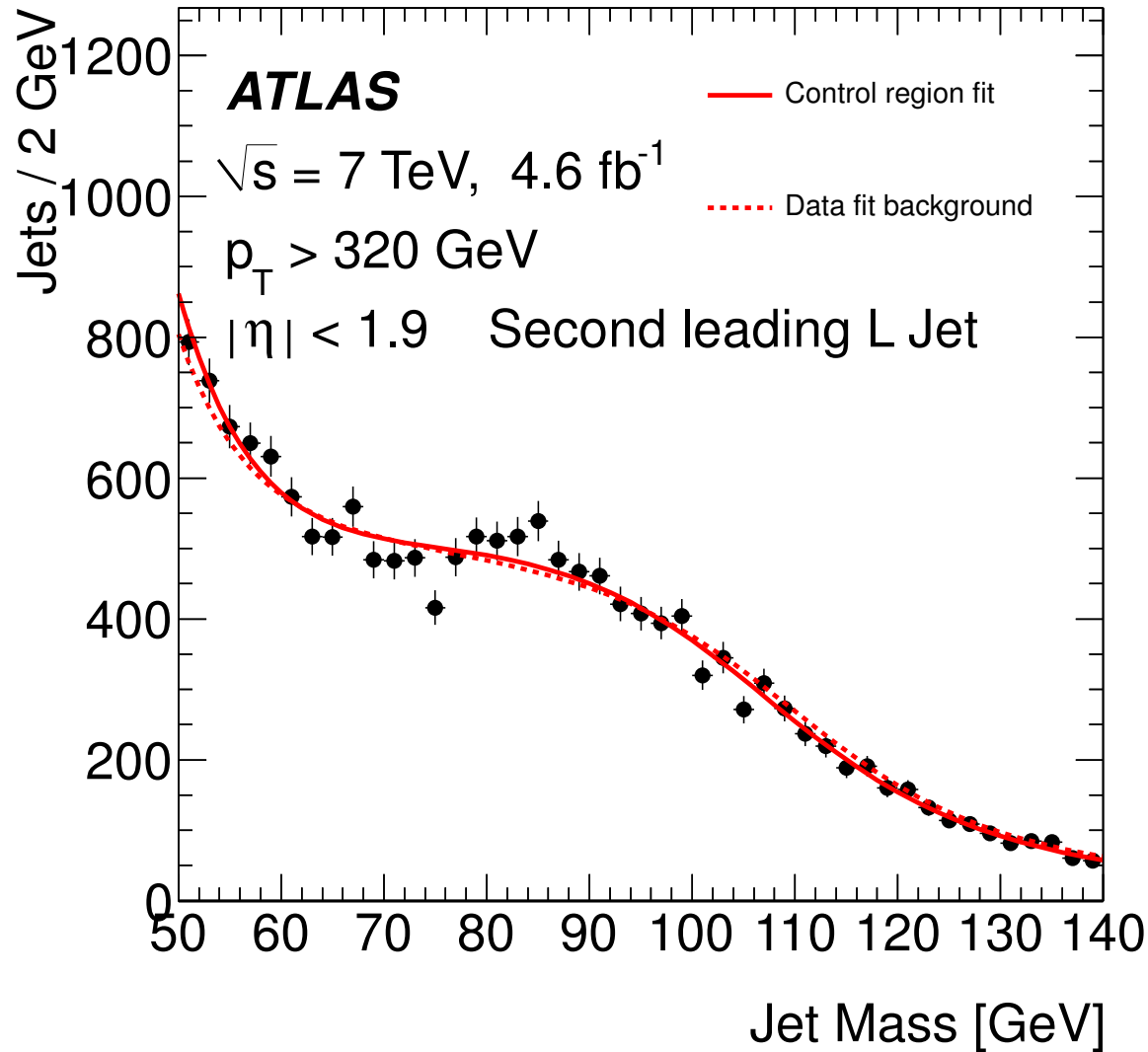
Fit  $\chi^2/\text{ndf} = 41.4/38$   
 $\chi^2$  probability: 32%

$\chi^2$  probability  $< 10^{-7}$  if  
 assuming no signal peak

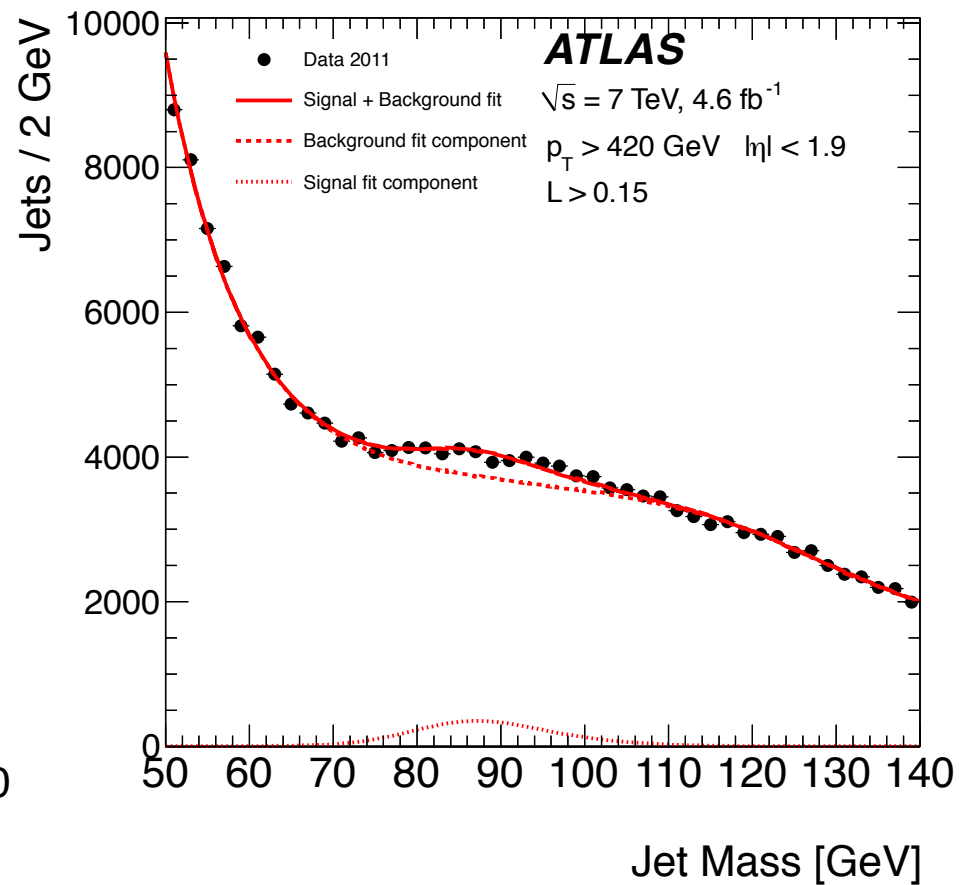
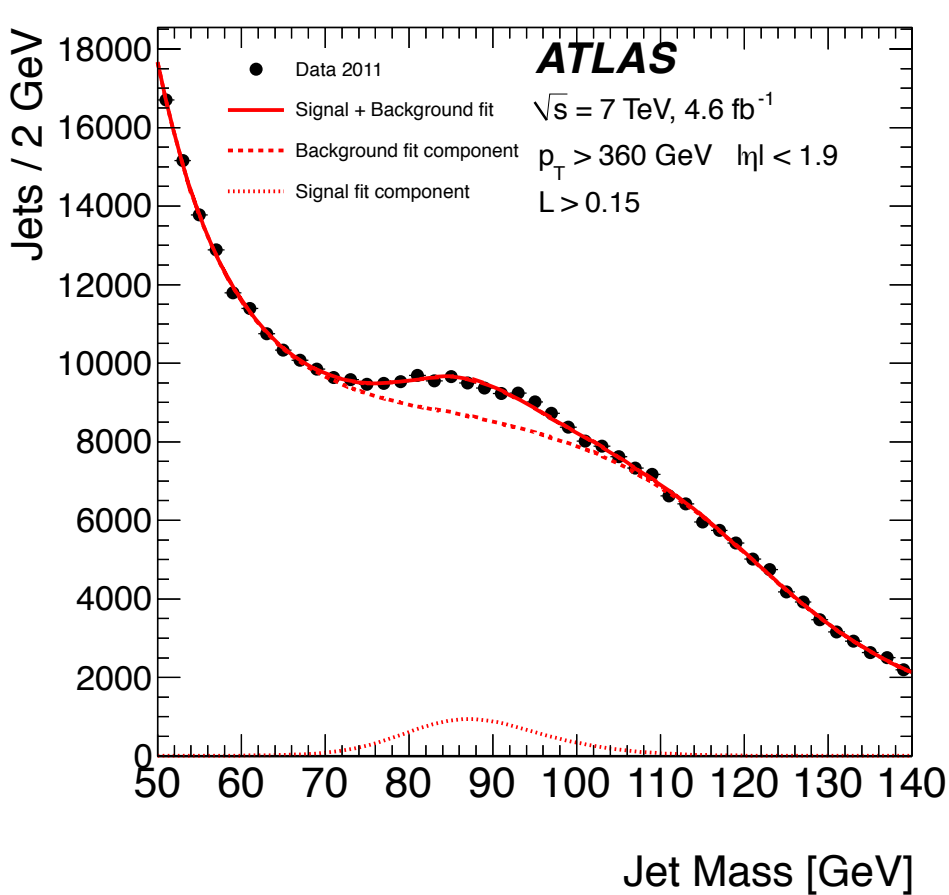
After deduct peaking bg contribution:

$$N^{W+Z} = 14200 \pm 1300(\text{stat})$$

# Test background PDF using control data



# Cross check



- Relative signal yield with different  $p_T$  cut consistent with MC efficiency calculation
- Change of threshold position of the background consistent with MC expectation

# Cross check

- Signal yields of different LH cuts consistent with MC expectation
- Repeat fit with  $m_W$  allowed to be float
  - ✓ The difference between  $m_W$  and  $m_Z$  is fixed to MC
$$\Delta m = m_W^{\text{fit}} - m_W^{\text{MC}} = -0.45 \pm 0.86 \text{ GeV}$$
  - ✓ Similar results with different  $p_T$  and LH cuts
- Repeat fit with  $m_{\text{jet}}$  resolution to be free parameter
  - ✓ A common scale factor of the resolution of  $m_{\text{jet}}(W)$  and  $m_{\text{jet}}(Z)$
  - ✓ Fitted scale factor consistent with 1 within statistic uncertainty
- Repeat fit with relative yield of W and Z signal to be floated
  - ✓ Fitted results consistent with MC expectation with large stat error (~10%)
  - ✓ Small impact of total signal yields
  - ✓ Small impact on total signal yield with simultaneous free  $m_W$  parameter
- Toy MC studies to verify that no bias in the fit procedure
  - ✓ Toy MC with analytical background PDF
  - ✓ Toy MC with background using control data

# Cross section measurement

- Measurement of the cross section

$$\sigma_{W+Z} = N^{W+Z} / (\mathcal{L} \cdot \epsilon) \quad \text{and} \quad \epsilon = N_{\text{reco}}^{W+Z} / N_{\text{gen}}^{W+Z}$$

- Efficiency estimated to be  $0.36 \pm 0.02$  (stat) using MC

- Results:

$$\sigma_{W+Z} = 8.5 \pm 0.8 \text{ pb}$$

- Systematic uncertainty:

- ✓ Efficiency calculation:

- Evaluated using different MC
- $\sim 4.4\%$  relative uncertainty for the cross section measurement

- ✓ Signal yield (see later slides)

- Dominant systematic uncertainty
- $\sim 18\%$  relative uncertainty of the cross section measurement

# Systematic uncertainties

Sources	$\sigma_{W+Z}$
MC modelling	4.4 %
Background pdf	8.8 %
Signal pdf	5 %
Jet energy scale	3.7 %
Jet energy resolution	< 1 %
Jet mass scale	2.2 %
Jet mass resolution	12.6 %
$t\bar{t}$ contribution	2.8 %
Single-top and diboson contribution	< 1 %
$W$ and $Z$ relative yield	2.9 %
Luminosity	1.8 %
Total	18 %

# Systematic uncertainties

- Evaluation of sys error due to the background PDF:
  - ✓ Different choices of analytical functions of sigmoid function
  - ✓ Additional of 2<sup>nd</sup> order polynomial functions
  - ✓ Add or remove the exponential functions
  - ✓ Maximum deviation of the signal yield as sys error
- Systematic uncertainty due to signal PDF: different MC generator
- Three independent evaluations of the sys uncertainty due to jet mass resolution
  - ✓ Using MC simulation to estimate sys effects (default)
    - Different parton shower and hadronization model
    - Different materials and geometry in detector GEANT model
    - Different model of interactions of high energy hadron with materials
  - ✓ Let mass resolution scale to float in fit (data driving cross check)
  - ✓ Study the uncertainties of the energy cluster measurements
    - Different passive materials in detector model
    - Measurement uncertainties of cluster energy
    - Measurement uncertainties of cluster positions
    - Propagate it to the mass measurements
- The systematic uncertainties can be reduced with more data



# Final result

$$\sigma_{W+Z} = 8.5 \pm 0.8 \text{ (stat.)} \pm 1.5 \text{ (syst.) pb}$$

- NLO QCD calculation: MCFM
  - ✓ W/Z+jets calculation
  - ✓ CT10 parton distribution function
  - ✓ Dynamic scale factor  $H_T/2$ :  $H_T$  is scalar sum of particle  $p_T$  in the final state

$$\sigma_{W+Z} = 5.1 \pm 0.5 \text{ pb}$$

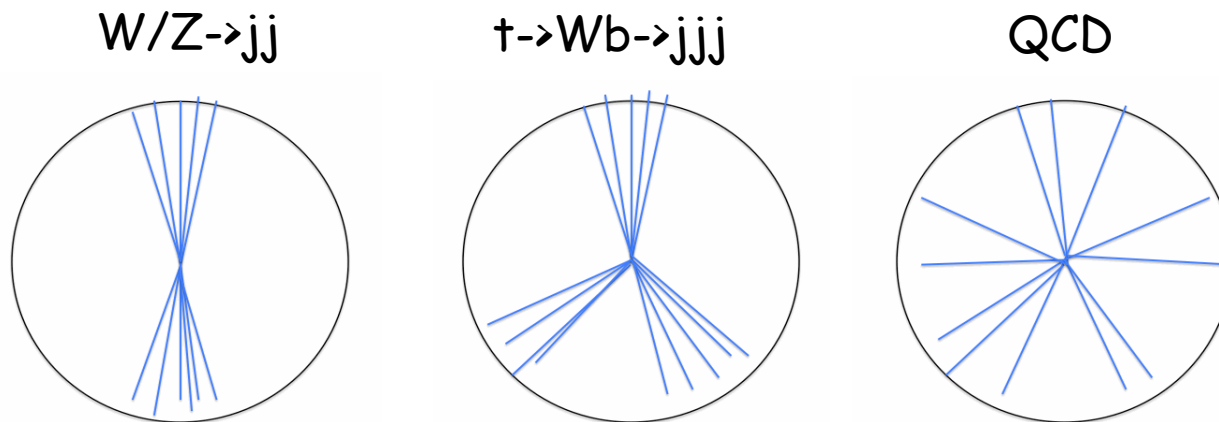
- Systematic uncertainty of NLO QCD calculation:
  - ✓ Varying factorization and normalization scale from 0.5 to 1
  - ✓ Parton distribution function (small)
  - ✓ Strong coupling constant (small)
- Measurement consistent with NLO QCD calculation within 2 sigma level

ATLAS, arXiv:1407.0800 (accepted by NJP)

# Application of jet substructure in jet rest frame

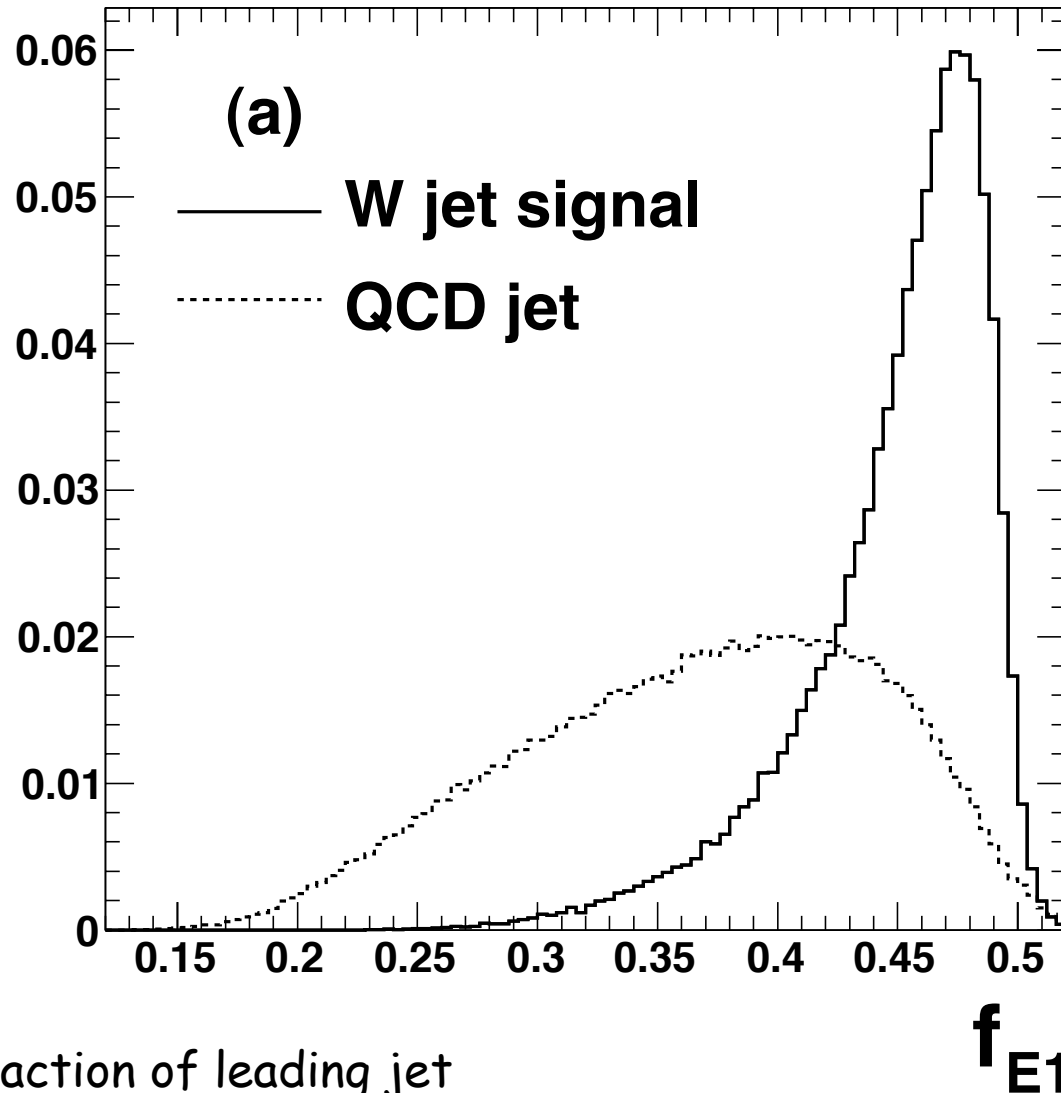
# Reclustering in the Rest Frame

- More improvements/applications based on jet CM substructure
  - ✓ Reclustering (filtering): reconstruct subjets in jet rest frame
  - ✓ Combination of pruning and trimming, tracks information .....



- Rerun the jet finding algorithm on the clusters in the CM frame
  - ✓ Fastjet
  - ✓ Jet algorithm similar (not identical) to  $e^+e^-$  experiments
    - Tradition jet algorithm based on  $\eta$  and  $\theta$  not appropriate
    - Combine 2 clusters in  $\Delta\theta < 0.6$
    - Angle  $\theta$ : angle between 2 clusters

# Reclustering in the Rest Frame

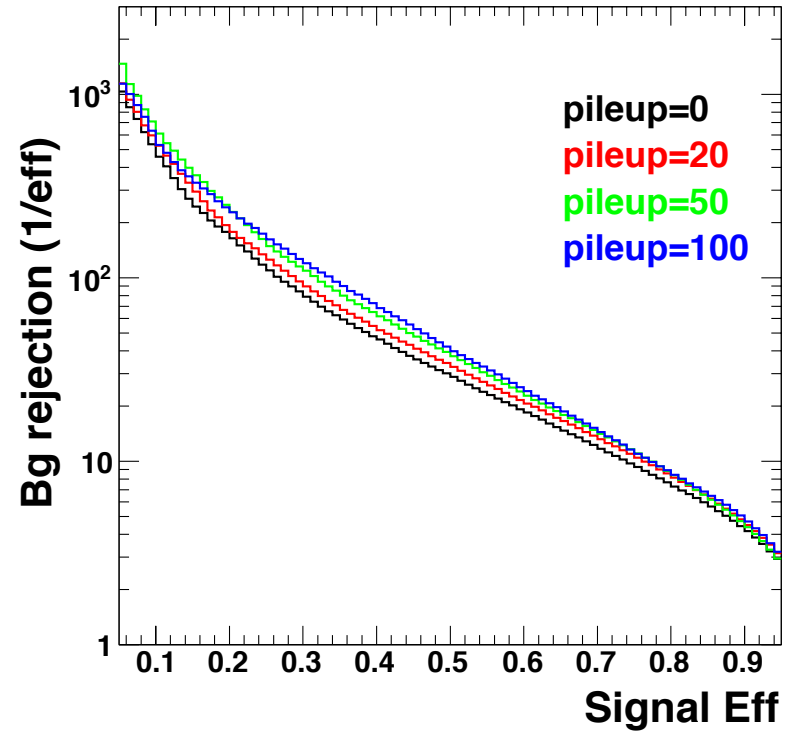
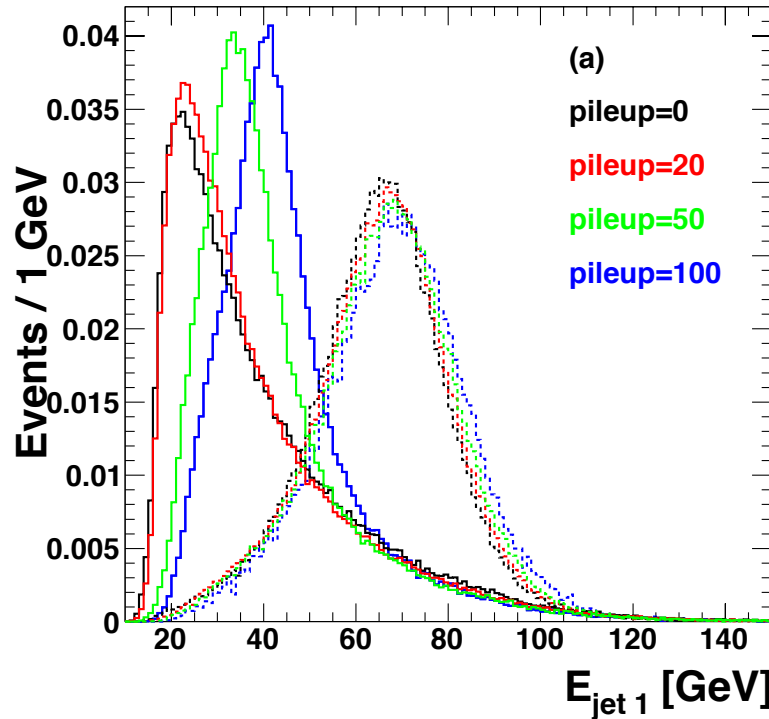


$f_{E1}$ : energy fraction of leading jet

$f_{E1}$

# Subjets of boosted top in its CM frame

- SM top pair MC samples:  $p_T(\text{top}) > 600 \text{ GeV}$ ,  $W$  decay hadronically
- At least 3 subjets with  $E > 10 \text{ GeV}$

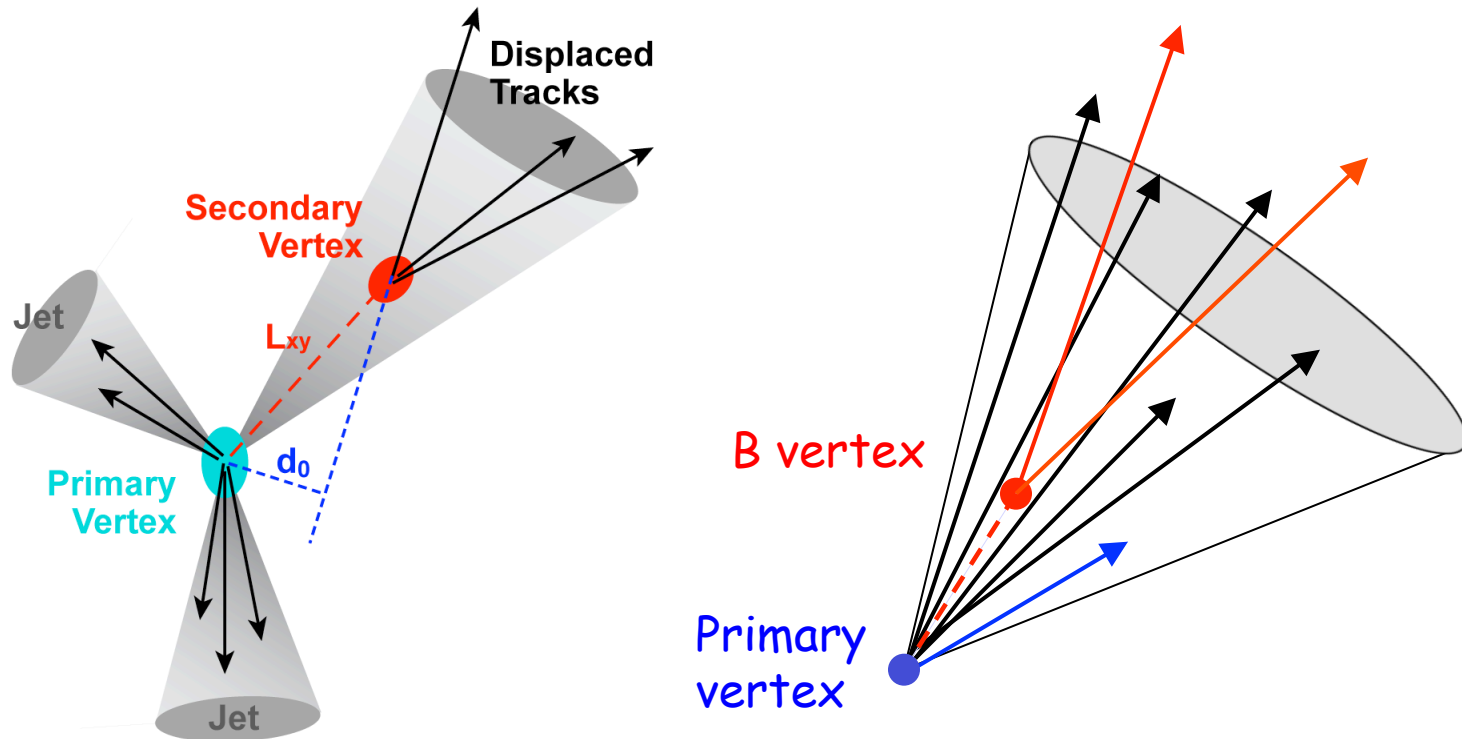


- Many jet substructure variables are correlated
- Multi variable approach to combine different variables
  - ✓ Energies of 3 leading jets, mass combinations .....

Chunhui Chen, PRD 87,074007 (2013)

# Identify b quark inside boosted top

- Top quark decays to  $Wb$  almost 100%
- Identify b quark (b-tagging) based on its long lifetime

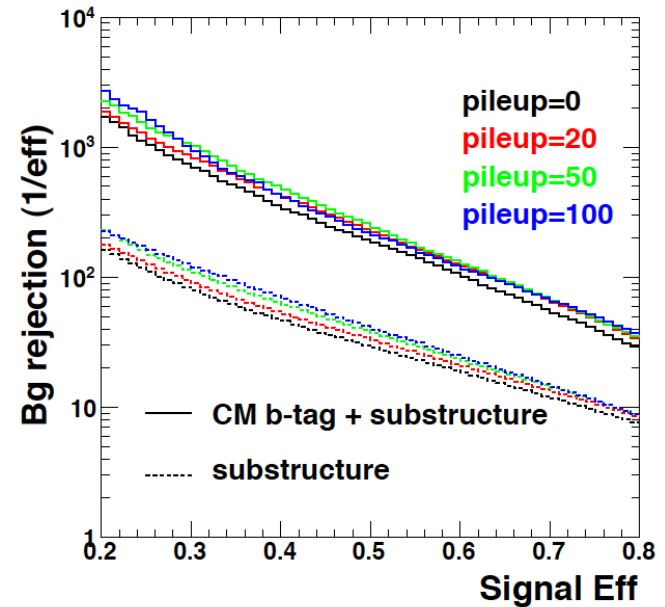
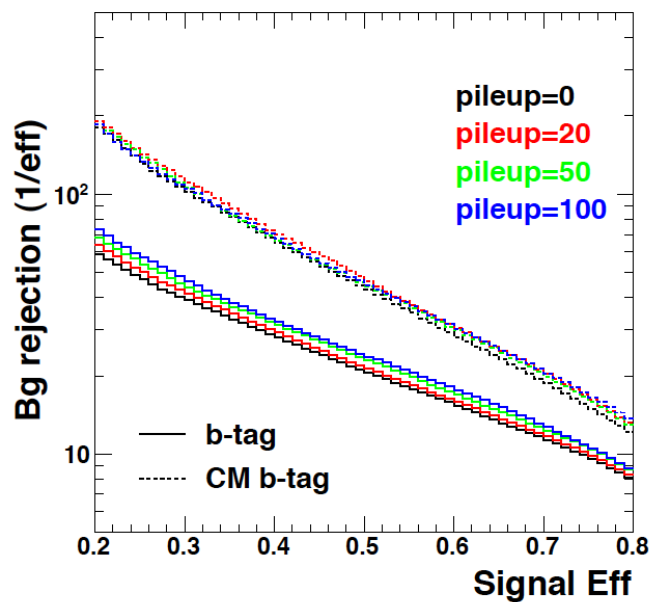
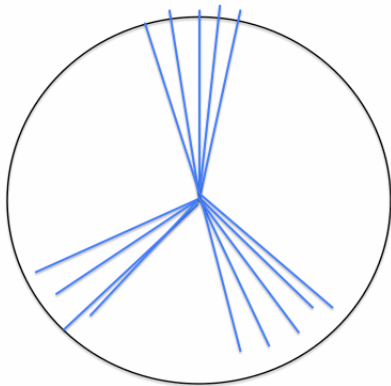


Problem of direct application of b-tagging for boosted top jet:  
Difficult to disentangle tracks originated by b decays from tracks originated from W decay

# Identify b quark inside boosted top

- Boost charged tracks back into jet rest frame
- Associate tracks with subjets
- Separate tracks originated from different partons: b or  $W \rightarrow qq'$
- Comparing to direct application of b-tagging
  - ✓ Studies done using impact parameter algorithm b-tagging
  - ✓ Better performance using CM b-tagging
- Combine b-tagging with jet substructure

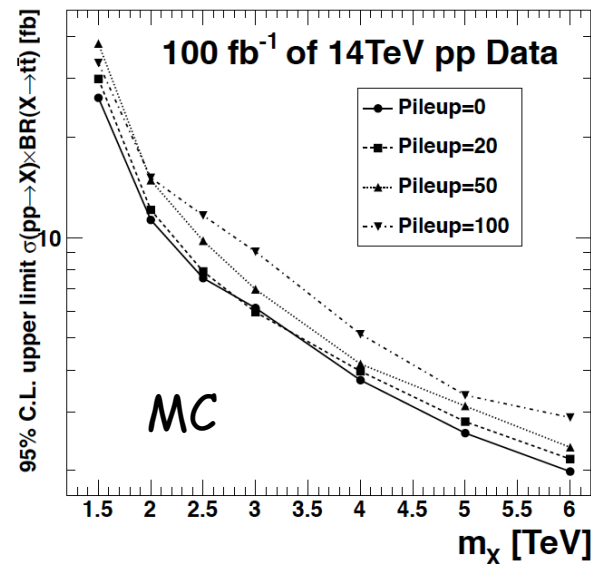
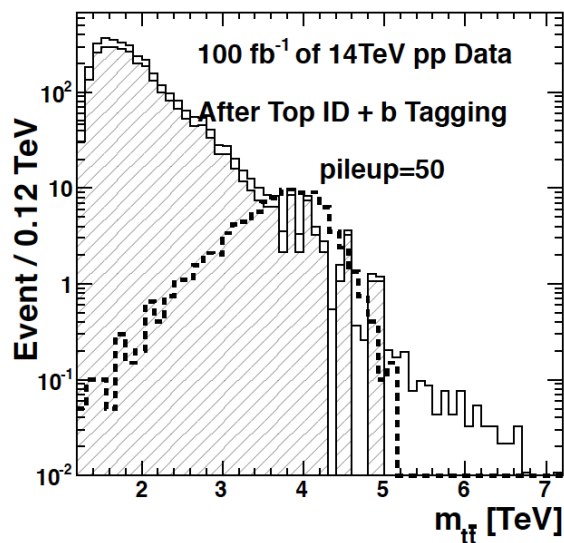
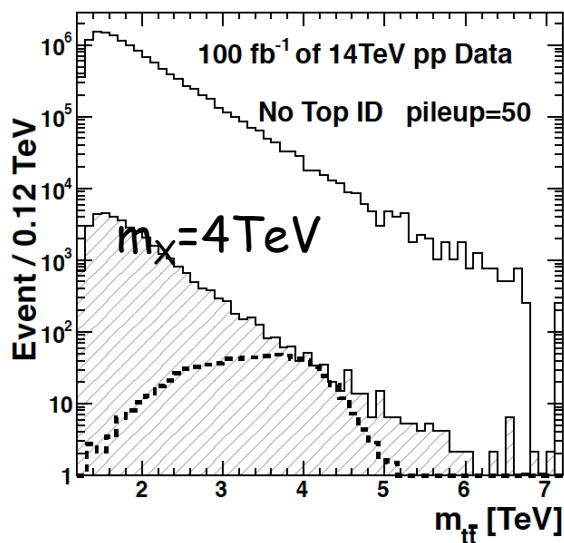
$t \rightarrow Wb \rightarrow jjj$



Chunhui Chen, PRD 88,074009 (2013)

# Using Top ID to search for $X \rightarrow t\bar{t}$

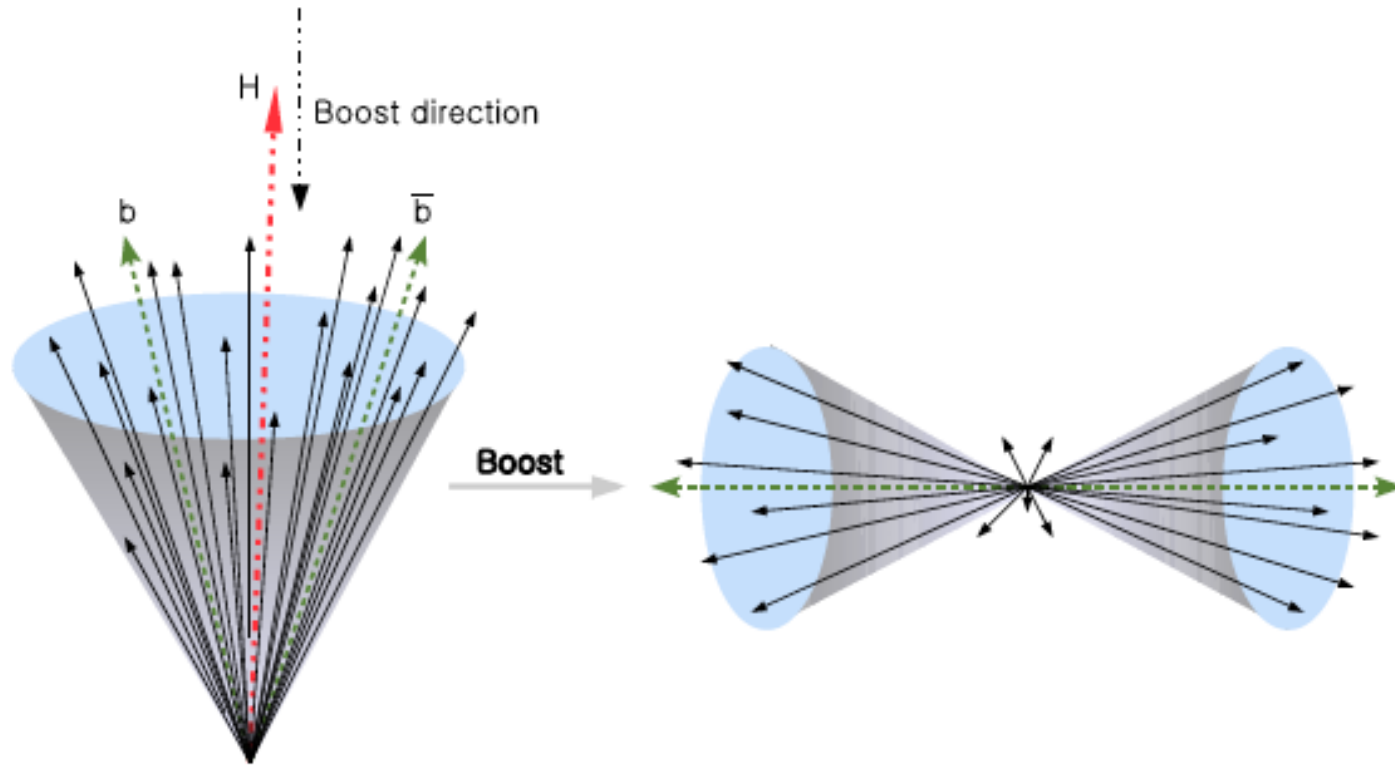
- Heavy resonance decaying into a top pair
- Both top decay hadronically: hadronic W
  - ✓ Dominant bg: SM multijet production, top pair production
- Choose 2 leading jets as top candidate to form a X candidate
- Assuming effective production cross section of X: 10fb



Chunhui Chen, PRD 88,074009 (2013)



# Double b tagging in boosted Higgs jet



# Summary and Conclusion

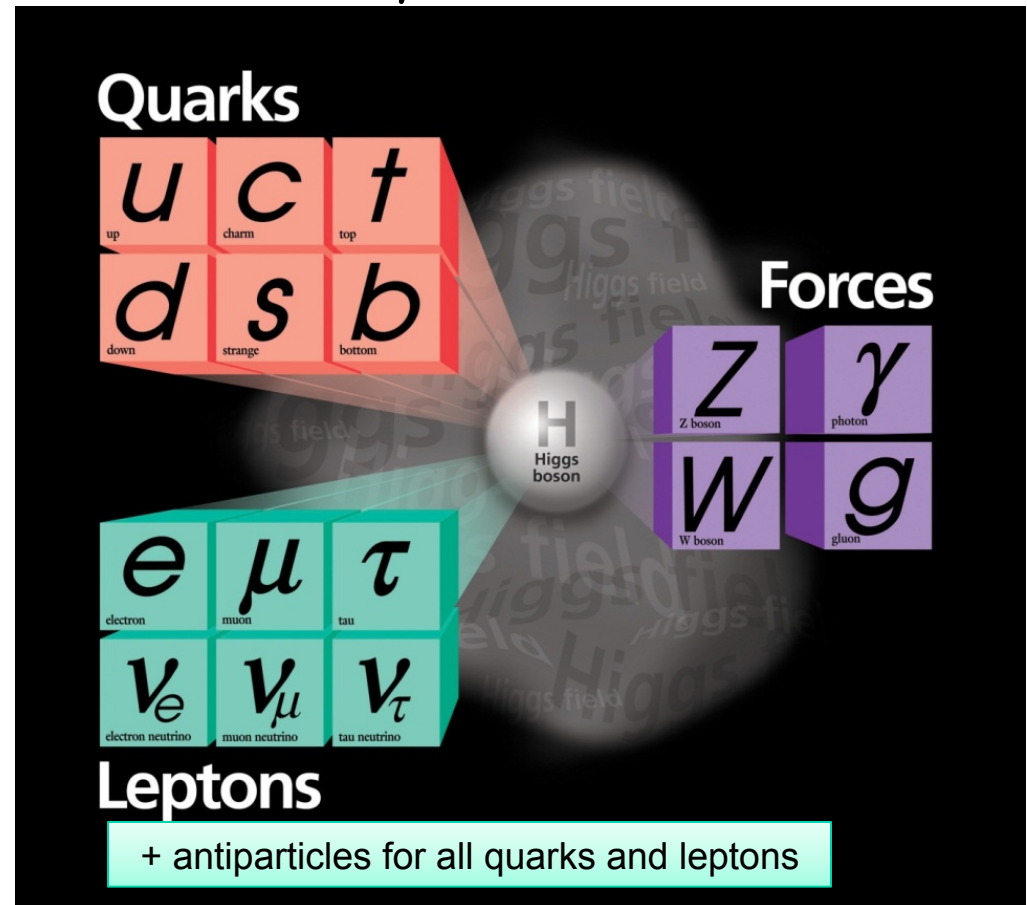
- Boosted hadronic decaying particles a powerful tool to search for NP
  - ✓ Jet mass and jet substructure
- Describe a new approach to identify boosted particle
  - ✓ Based on shape variables/reclustering in jet CM frame
- **First measurement of boosted hadronic W/Z production using single jets**
  - ✓ **Demonstrate power of jet substructure algorithm in jet rest frame**
  - ✓ **The new method complementary to existing jet substructure algorithms**
  - ✓ ATLAS, arXiv:1407.0800 (accepted by NJP)
- Additional improvement/application of jet substructure in jet rest frame
  - ✓ C. Chen: PRD 85,034007(2012); PRD87,074007(2013) and PRD 88,074009 (2013)

**Application of the jet substructure in jet rest frame to search for NP using coming 14TeV data at the ATLAS, stay tuned!**

# Backup

# Standard Model of Particle Physics

- Particle Physics (High Energy Physics):
  - ✓ Study fundamental particles and how they interact
- Matter is made of fermions
  - ✓ quarks and leptons
  - ✓ 3 generations
- Forces carried by bosons:
  - ✓ Electromagnetic:  $\gamma$
  - ✓ Weak:  $W$  and  $Z$
  - ✓ Strong: gluons
- Higgs boson:
  - ✓ Give mass to particles



**Standard Model + Gravity = Basic Building blocks of our Knowledge**

# The ATLAS Detector

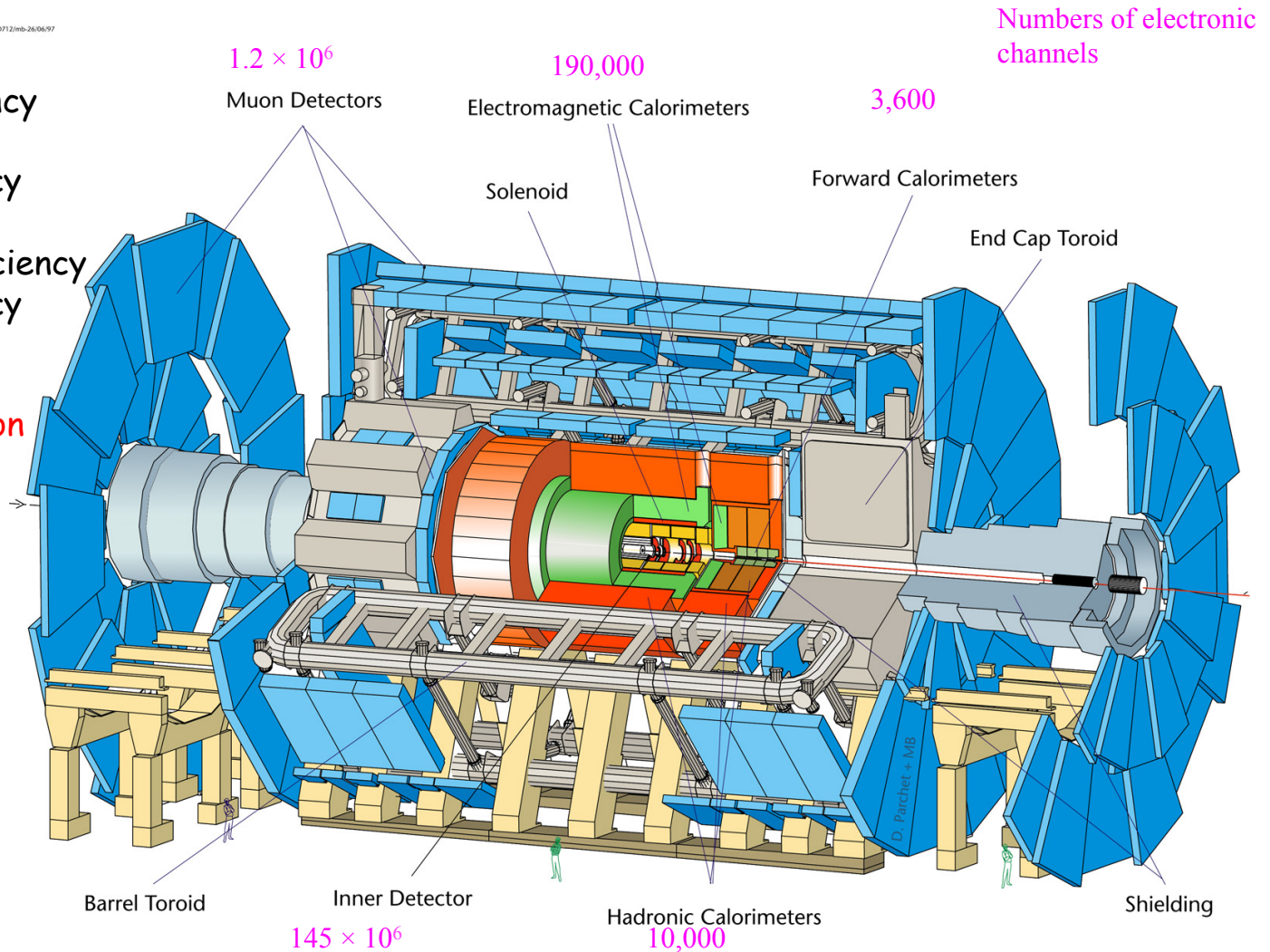
0712mb-26/06/97

e: ~75 - 90% efficiency

muon: ~90% efficiency

b tagging: ~57% efficiency  
~ 0.2% fake efficiency  
from light jets

Efficiency & resolution  
dependents on the  
selection criteria



46 m long, Overall weight: 7000 Tons

Excellent reconstruction efficiency and resolution:  
Electron, muon, track, jets, b-tagging & missing transverse energy

# The jet observables

- Single jet mass  $m_{\text{jet}} = \sqrt{E_{\text{jet}}^2 - p_{\text{jet}}^2}$ 
  - Deduced from four-momentum sum of all jet constituents
    - Before and after any grooming
  - Can be reconstructed for any meaningful jet algorithm
- momentum balance  $\sqrt{y_f} = \min(p_T^{j1}, p_T^{j2}) \Delta R_{12} / m_{12}$ 
  - Where  $p_T^{j1}$  and  $p_T^{j2}$  are the transverse momenta of the two leading subjets,  $\Delta R_{12}$  is their separation and  $m_{12}$  is their mass
  - To suppress jets from gluon radiation and splitting,  $\sqrt{y_f} > 0.45$
- $N$ -subjettiness
  - Measures how well jets can be described assuming  $N$  sub-jets
    - Degree of alignment of jet constituents with  $N$  sub-jet axes
  - Sensitive to two- or three-prong decay versus gluon or quark jet
    - Highest signal efficiencies from  $N$ -subjettiness ratios  $\tau_{N+1}/\tau_N$  ( $\tau_{N+1/N}$  or  $\tau_{N+1,N}$ )
    - For most analyses in this talk ( $W/Z \rightarrow qq$ ) will use  $\tau_{2/1}$